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MASTER

In Electrical and Electronic Engineering Option: Power Engineering

Title:

Mitigating Ferroresonance in MV Power System Involving Power Transformer and Circuit Breaker Capacitance using Alternating Transient Program

Presented by:

- BEDDA ZEKRI Sad
- MEKKAOUI Tarek

Supervisor:

Mrs.BOUTORA.S

Registration Number:...../2016

Dedication

On the occasion of finishing my final year project, it gives me immense pleasure to express my gratitude to:

Who helped me to reach this degree, who I cannot live without them My Mother and My Father.

As Allah the Highest says: "And lower to them the wing of humility out of mercy" and say, "My Lord, have mercy upon them as they brought me up when I was small."

My uncles and My aunts

My Brothers: Abdelmounem, Ilyes, Foudil, Ziad and especially to my heart Ahmed. My lovely Sister: "Atika".

My Future Wife: "Sara".

My Supervisor: BOUTORA.S for her help, and all who learned me even a letter.

My Friends: ((especially my roommates Khaled M, Oussama T and Med ramzi CH)) My partner and best friend Tarek MEKKAOUI

and others Ali K, Bilal G, Djilani G, Hamza Z, Khaled B, ... and the list is so long.

With Love 🛞

SAD

Dedication

All praise to Allah, today we fold the days' tiredness and the errand summing up between the cover of this humble work.

To the utmost knowledge lighthouse, to our greatest and most honored prophet Mohamed - May peace and grace from Allah be upon him-

To the spring that never stops giving, to my mother who weaves my happiness with strings from her merciful heart... to my mother. (Mama and Yama)

To whom he strives to bless comfort and welfare and never stints, what he owns to push me in the success way who taught me to promote life stairs wisely and patiently, to my dearest father.

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(Mustapha, M.ishak, Hadjer, Hibaallah and Halla)

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With love

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ABSTRACT

Ferroresonance is a phenomenon usually initiated by transients in power networks resulting from switching operations or ground faults or others. Nonlinear behavior of the core of a power transformer results in magnetic saturation. Long-lasting ferroresonant state is dangerous to the equipment due to prolonged overvoltage and large overcurrents in MV windings. In this thesis, a ferroresonance solution using Alternating Transient Program, was attempted. The ferroresonant oscillations analyzed result from interaction between the power transformer and a grading capacitance of a circuit breaker. Some practical solutions are suggested and introduced after creating a ferroresonance situation, they had a considerable effect on damping and eliminating the risk of ferroresonance.

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GENERAL INTRODUCTION

GENERAL INTRODUCTION

Power quality and power disturbances have become an important increasing factor throughout electrical networks. Ferroresonance is one of these disturbances that can occur on distribution systems, causing quality and security problems.

Ferroresonance is a non-linear resonance phenomenon that can affect power networks. The abnormal rates of harmonics and transients or steady state overvoltages and overcurrents that it causes are often dangerous for electrical equipment.

The term "Ferroresonance", which appeared in the literature for the first time in 1920, refers to all oscillating phenomena occurring in an electric circuit which must contain at least:

- 1) a non-linear inductance (ferromagnetic and saturable).
- 2) a capacitor.
- 3) a voltage source (generally sinusoidal).
- 4) low losses. [1]

Power networks are made up of a large number of saturable inductances (power transformers, voltage measurement inductive transformers (VT), shunt reactors), as well as capacitors (cables, long lines, capacitor voltage transformers, series or shunt capacitor banks, voltage grading capacitors in circuit-breakers, metalclad substations). They thus present scenarios under which ferroresonance can occur. [1]

The aim of this thesis is to identify ferroresonance and to understand it better, when it is compared to linear LC resonance. Also to describe the effects of ferroresonance on power systems, because they are considered to be catastrophic when they occur, in addition the methods of mitigating them will be discussed.

In order to demonstrate the achievement of the stated aim, we strengthen our study with simulation of one of favorable cases of this phenomenon, which is the interaction between the power transformer and circuit breaker grading capacitor in MV power system, then we try to find some practical solutions.

Chapter 1 Identifying Ferroresonance Compared To Linear Resonance

1.1. Introduction

The trend toward using higher distribution voltages and underground feeders has increased the number of instances in which ferroresonance overvoltage have been reported. [2] The problem of ferroresonance can be categorized as a nonlinear resonance which can cause damage in power distribution and transmission systems. In simple terms, ferroresonance is an LC resonance involving a nonlinear inductance and a capacitance. [3] Ferroresonance can be better understood if it is compared to linear LC resonance.

1.2. Identifying Ferroresonance Compared to Linear Resonance

A typical linear LC resonant circuit consists of an ideal inductor connected in parallel or series with an ideal capacitor. There is no damping in the circuit and the behavior of this LC combination is observed as the frequency of an applied sinusoidal voltage or current is varied. Figure 1.1 shows an example of a series LC circuit with linear elements. In this circuit L is constant and independent of current, regardless of the flux linked λ by the inductor. The relationship between the flux and the current is shown in the Figure 1.2. [3]

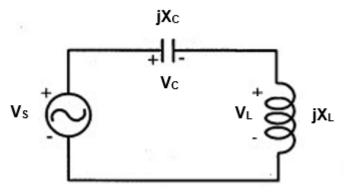


Figure 1.1: Series LC Circuit with Sinusoidal Voltage Source

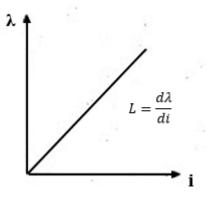


Figure 1.2: λ -i Characteristic for a linear inductor

2

In this circuit, the resonance occurs when the total impedance of the circuit $jX_L - jX_c$ equal to zero. The frequency at which this happens is $\omega_r = \frac{1}{\sqrt{LC}}$. Therefore as ω approaches ω_r , current i approaches ∞ Figure 1.3 shows the frequency response of a linear LC circuit. [3]

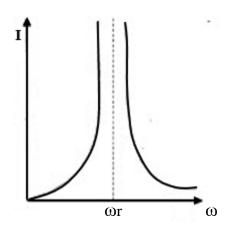


Figure 1.3: Frequency Response of a Linear LC Circuit

If damping is considered as a resistance in parallel with the inductor in the above case, the current will be limited to $i < \infty$ and the resonant frequency will be shifted to a new damped resonant frequency to $\omega = \omega_d$.

In the circuit of figure 1.1, if the linear inductance is replaced with a nonlinear saturable iron core inductor then ferroresonance can occur. A typical λ -i characteristic of such an inductor is shown in figure 1.4 which is typical for a transformer core. [3]

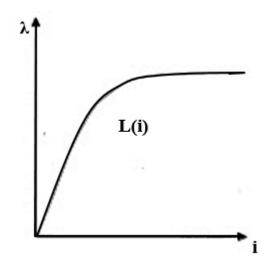


Figure 1.4: λ -i Characteristic for a nonlinear inductance

The circuit with a nonlinear inductance will have a much different type of frequency response. In this case, there is no single resonant frequency, since the frequency response characteristic will be multi-

valued. [3] Figure 1.5 shows the frequency response of a nonlinear LC circuit when there is no damping in the system.

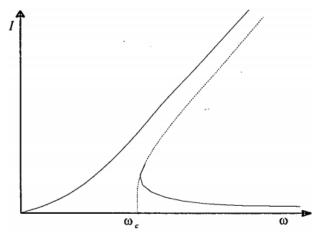


Figure 1.5: Frequency Response of a Nonlinear LC Circuit

- For $\omega > \omega_c$, there may be two stable modes of "Resonance" as well as a third unstable mode.

- For $\omega < \omega_c$ there is only one possible mode of operation.

As ω is decreased and its value passes ω_c , operation can make a sudden change or jump from one stable operating mode to another. This is one of the reasons why this type of behavior is sometimes called jump resonance.

Therefore, jump resonance refers to a condition in a sinusoidally excited system where an incremental change in the frequency of the input to the system or an incremental change in the driving voltage or in the magnitude of one of the parameters of the system causes a sudden jump in signal amplitude somewhere in the system. This jump can be one of voltage, current, flux linkage or all three.

Figure 1.6 shows the jump phenomenon when the amplitude of the excitation is varied slowly. In this diagram the effect of the damping is considered. In this figure, starting from point 1, as V_s , is increased, V_L , slowly increases through point 2 to point 3. As V_s , is increased further, a jump takes place from point 3 to point 4 with an accompanying increase in V_L , after which V_L increases slowly with V_s . If the process is reversed, V_L decreases slowly as V_s , decreases from point 5 to point 6. As V_s , is decreased further, a jump from point 6 to point 2 takes place, with an accompanying decrease in V_L , after which V_L decreases slowly with decreasing V_s , Rudenberg gives a very clear explanation of this jump phenomenon based on a graphical method. [3]

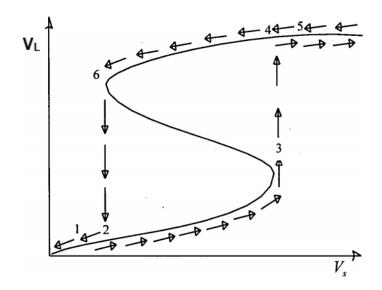


Figure 1.6: Jump phenomena for variation of the amplitude of the excitation

Consider the circuit of Figure 1.7, in which the linear inductance has been replaced with a nonlinear inductor

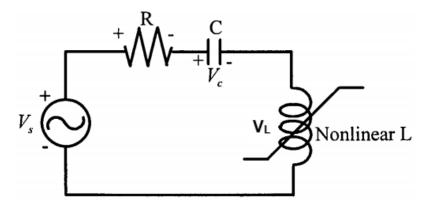


Figure 1.7: Ferroresonant Circuit

When the series resistance is ignored, the sum of the voltages around the only mesh of the circuit can be written as:

$$V_s(t) - V_c(t) - V_L(t) = 0$$
(1.1)

The value of V_c can be replaced by its time-integral expression and V_L as the total derivative of L(i)i(t). Then equation 1.1 can be written as:

$$V_{s}(t) - \frac{1}{c} \int i(t) dt - \frac{d}{dt} [\mathrm{L}(i)\mathrm{i}(t)] = 0 \qquad (1.2)$$

Evaluating equation 1.2 and substituting $q(t) = \int i(t)dt$ will result in:

$$V_{s}(t) - \frac{1}{c}q(t) - L(i)\frac{d^{2}q(t)}{dt^{2}} - \frac{dq(t)}{dt}\frac{dL(i)}{di(t)} = 0$$
(1.3)

From equation 1.3 it is evident that finding a closed-form solution for this nonlinear circuit will be quite difficult. This would be made more evident by adding a source impedance and by providing a complete equivalent of the transformer. Historically, methods of graphical solution represent one of the earliest attempts to explain ferroresonance. The graphical solution for the circuit of Figure 1.7, including the series resistance, can be obtained from two independent relationships for the voltage across the inductance and the capacitance. (Assuming sinusoidal variation of current). The voltage across the capacitance is proportional to the frequency, and the voltage across the capacitance is proportional to the frequency and capacitance.

$$V_{L} = \omega f(i)$$
$$V_{c} = -\frac{I}{\omega c}$$
(1.4)

The total magnitude of voltage for the circuit is:

$$V_s = \sqrt{(V_l + V_c)^2 + (RI)^2}$$
(1.5)

From equations 1.4 and 1.5, the voltage across the nonlinear inductor can be written as:

$$V_L = \sqrt{V_s^2 - (RI)^2} + \frac{I}{\omega c}$$
 (1.6)

The first term in the right-hand side of Equation 1.6 $\sqrt{V_s^2 - (RI)^2}$ represents an ellipse whose main axes have the magnitude of V_s , and $\frac{V_s}{R}$ and the second term is a straight line having slope of $\frac{I}{\omega c}$. Adding these two quantities represents an oblique ellipse, whose intersection with the characteristic of V_L presents the three possible states of the oscillation of the circuit. Figure 1.8 shows the graphical solution for the ferroresonance circuit of Figure 1.7.

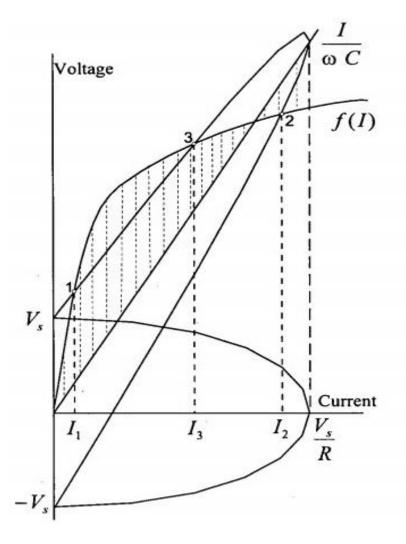


Figure 1.8: Graphical solution of the ferroresonance circuit

Points 1 and 2 in the Figure 1.8 represent the stable solutions, whereas point 3 represents an unstable solution. To show this, rewrite Equation 1.6 as:

$$(\mathrm{IR})^2 = V_s^2 - \left[f(I) - \frac{I}{\omega c}\right]^2$$
 (1.7)

If the quantity $\left[f(I) - \frac{I}{\omega c}\right]$ increases in magnitude with an increase in current, then according to equation 1.7, (RI)² tends to decrease, and this suppresses any further increase in current.

Thus stability is achieved. However, if the quantity $\left[f(I) - \frac{I}{\omega C}\right]$ decreases in magnitude, with an increase of current, the magnitude of (RI)² tends to increase and under this condition, the current continues to increase and the solution is unstable.

The dashed area in the Figure 1.8 shows the variation of the magnitude of $\left[f(I) - \frac{I}{\omega C}\right]$. And point 3 in corresponds to an unstable solution since $\left[f(I) - \frac{I}{\omega C}\right]$ decreases with an increase of current. In the same figure, points 1 and 2 represent the stable solutions. [3]

1.3. Conclusion

Therefore, we can conclude that the ferroresonance is a complex phenomenon in which there are several steady states for a given circuit, the appearance of these states is highly sensitive to system parameters values and the initial conditions. Small variations in a system parameters or a transient may cause a sudden jump between two very different steady states and initiate one of the ferroresonance modes. These modes will be discussed in next chapter with the causes of this phenomenon, and its effects on power system, then how to control it to prevent its happening.

Chapter 2 Understanding Ferroresonance

2.1. Introduction

In the previous chapter, the discriminative difference between the linear resonance and ferroresonance has been described. This chapter introduces types of ferroresonance modes, there are several modes of ferroresonance with varying physical and electrical displays, some have very high voltages and currents while others have voltages close to normal. In addition, it describes the effects of ferroresonance on power systems. Because they are considered to be catastrophic when they occur, finally the methods of mitigating them will be discussed.

2.2. Types of Ferroresonance Modes

All experience of waveforms appearing on power systems, experiments conducted on reduced system models together with numerical simulations, enable classification of ferroresonance states into four different types. This classification corresponds to the steady state condition, i.e. once the transient state is over, as it is difficult for a ferroresonant circuit to distinguish the normal transient state from ferroresonant transient states. However, this in no way implies that transient ferroresonance phenomena do not present a risk for electrical equipment. Dangerous transient overvoltages can occur during several system periods after an event (for example energizing of an unloaded transformer) and persist for several power system cycles. Basically, there are four types of steady-state responses, a ferroresonance circuit can possibly have, they are the fundamental mode, subharmonic mode, quasi-periodic mode and chaotic mode. [1] Each of the classifications and its characteristics are depicted in from Figure 2.1 to Figure 2.4.

The type of ferroresonance can be identified either by the spectrum of the current and voltage signals, or by a stroboscopic image obtained by measuring current I and voltage V at a given point of the system and by plotting in plane v, i the instantaneous values at instants separated by a system period. [1]

2.2.1. Fundamental mode

The periodic response has the same period, T as the power system. The frequency spectrum of the signals consists of fundamental frequency component as the dominant one followed by decreasing contents of 3rd, 5th, 7th and nth odd harmonic. In addition, this type of response can also be identified by using the stroboscopic diagram of Figure 2.1 (c) which is also known as Poincarè plot, which can be obtained by simultaneously sampling of voltage, v and current, i at the fundamental frequency. [4] Figure 2.1 below shows the diagrams to explain fundamental mode.

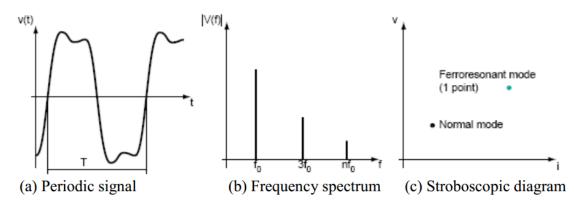


Figure 2.1: Fundamental mode of ferroresonance.

2.2.2. Subharmonic mode

In this type of ferroresonance signals has a period which is multiple of the source period, nT. The fundamental mode of ferroresonance is normally called a Period-1 (i.e. $f_0/1$ Hz) ferroresonance and a ferroresonance with a sub-multiple of the power system frequency is called a Period-n (i.e. f_0/n Hz) ferroresonance. Alternatively, the frequency contents are described having a spectrum of frequencies equal to f_0/n with f_0 denoting the fundamental frequency and n is an integer. With this signal, there are n points exist in the stroboscopic diagram which signifies predominant of fundamental frequency component with decreasing harmonic contents at other frequencies. [4] Figure 2.2 below shows the diagrams to explain Subharmonic mode.

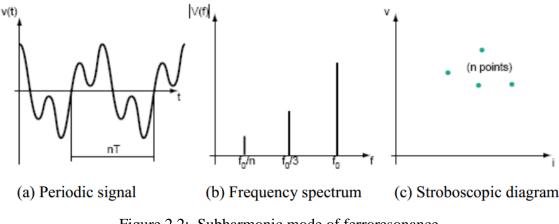


Figure 2.2: Subharmonic mode of ferroresonance.

2.2.3. Quasi-periodic mode

This kind of signal is not periodic. The frequency contents in the signal are discontinuous in the frequency spectrum, whose frequencies are defined as: nf1+mf2 (where n and m are integers and f1/f2 an irrational real number). This type of response displays a feature employing a close cycle of dotted points on the stroboscopic plot.

CHAPTER 02

The set of points (closed curve) in the diagram is called an attractor to which all close by orbits will asympotate as $t\rightarrow\infty$, that is, in the steady state. [5] Figure 2.3 below shows the diagrams to explain Quasi-periodic mode.

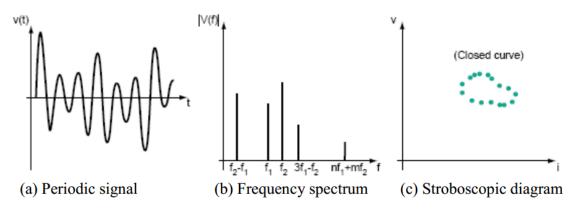


Figure 2.3: Quasi-periodic mode of ferroresonance.

2.2.4. Chaotic mode

This mode has a signal exhibiting non-periodic with a continuous frequency spectrum i.e. it is not cancelled for any frequency. The stroboscopic plot consists of n points surrounding an area known as the strange attractor which appears to skip around randomly. [4] Figure 2.4 below shows the diagrams to explain Chaotic mode.

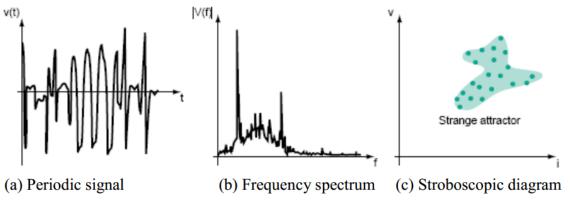


Figure 2.4: Chaotic mode of ferroresonance.

2.3. Causes and Effects of Ferroresonance on Power Systems

In the preceding section, the characteristics and features of each of the four distinctive ferroresonance modes have been highlighted. In this section we will focus firstly on causes of ferroresonance which are many but they can be generalized as below:

- Transients.
- Phase-to-ground , phase-to-phase faults.
- Circuit breaker opening and closing.
- Transformer energizing and de-energizing.

The main cause of ferroresonance cannot be known beforehand and it is generally found out by analyzing events in the power system prior to ferroresonant oscillations. [1] In addition, ferroresonance can cause undesirable effects on power system components which will be discussed.

2.3.1. Systems Vulnerable to Ferroresonance

In the modern power systems, there are many sources of capacitances, nonlinear inductances and wide range of operating setups. Configurations that may allow ferroresonance to happen are endless. But there are some typical configurations that may lead to ferroresonance. [1]

2.3.1.1. Voltage Transformer Energized Through Grading Capacitance

Switching operations may cause ferroresonance in voltage transformers which are connected between phases and ground. A sample case is illustrated in figure 2.5; Opening of circuit breaker D started ferroresonance by causing capacitance C (all the capacitances to ground) to discharge through voltage transformer. Through grading capacitance C_d , source delivers enough energy to maintain oscillation. [1]

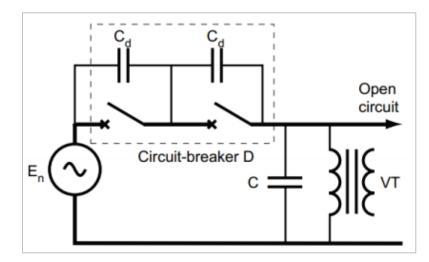
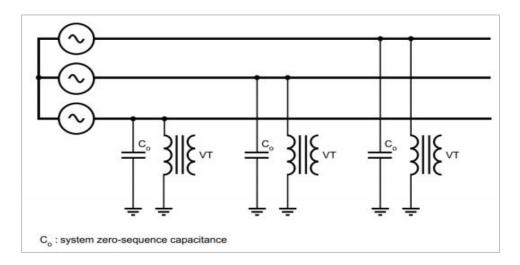
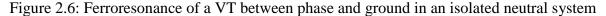


Figure 2.5: Ferroresonance of a voltage transformer connected in series with an open circuit breaker

2.3.1.2. Voltage Transformers Connected to an Isolated Neutral System

Transients due to switching operations or ground faults may start ferroresonance by saturating iron core of voltage transformers shown in figure 2.6. This grounding system can be chosen on purpose or the system can become neutral isolated from a loss of system grounding due to different reasons. A system operator may think there is a phase-to-ground fault in the system because of neutral point displacement and potential rise respect to ground on one or two phases. [1]





2.3.1.3. Voltage Transformers and HV/MV Transformers with Isolated Neutral

There is possibility of ferroresonance when HV and MV neutrals are ungrounded. When a ground fault happens in HV side, high potential is obtained at HV neutral point. With the help of capacitive effect between primary and secondary, over-voltages appears on MV side. [1] Conditions for ferroresonance is formed with voltage source E_0 , capacitances Ce and C_0 and magnetizing inductance of a voltage transformer in figure 2.7 and figure 2.8.

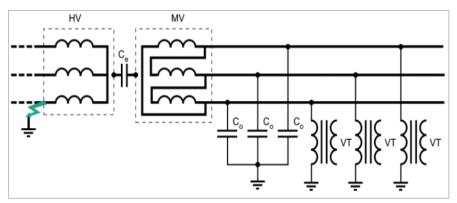


Figure 2.7: Faulty system

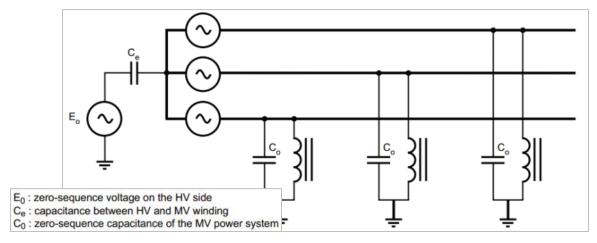


Figure 2.8: Ferro-resonance of voltage transformer between phase and ground with ungrounded/isolated neutral

2.3.1.4. Transformer Supplied by a Highly Capacitive Power System with Low Short-Circuit Power

As shown in figure 2.9 when an unloaded power transformer is connected to a relatively low shortcircuit power source through underground cable or long overhead line, ferroresonance may happen. [1]

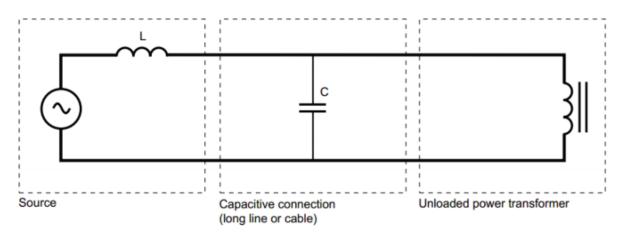


Figure 2.9: Power transformer supplied by capacitive system

With the experience from the past, it is concluded that system with features below are in danger of ferroresonance [1];

- Voltage transformer connected between phase and ground on an isolated neutral system
- Transformer fed through capacitive lines
- Non-multi pole breaking
- Unloaded or lightly loaded voltage transformers

2.3.1.5. Transformer Accidentally Energized in Only One or Two Phases

These setups can happen when one or two of the source phases are disconnected while the transformer is lightly loaded. System capacitances in figure 2.10 may consist of underground cables or overhead lines. Primary of the transformers can be delta connected or wye connected with isolated or grounded neutral. Because of switching operations, ferroresonant configurations are formed. Factors that are relevant is given below [1];

- Phase-to-phase and phase-to-ground capacitances
- Primary and secondary windings connections
- Voltage source grounding

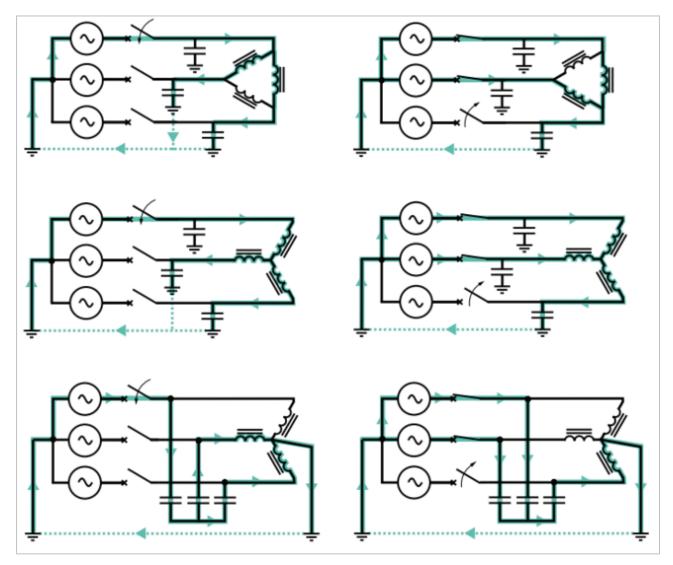


Figure 2.10: Examples of unbalanced systems

2.3.1.6. Powersystem grounded through a reactor

In LV systems, Permanent Insulation Monitors (PIMs) are used to measure insulation impedance by injecting direct current between system and ground. Their impedance is inductive and it may contribute to ferroresonance oscillations. Any potential rise in neutral point may cause ferroresonance between inductance of PIM and capacitances of the system. [1]

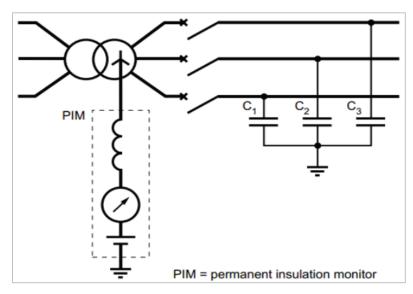


Figure 2.11: PIM inductance between neutral and ground

In MV systems, a coil of inductance L is used between MV neutral of a HV/MV transformer and ground to limit ground fault currents. Excitation of ferroresonance of the circuit consisting inductance L and zero-sequence capacitances may happen because of natural dissymmetry of transformer and capacitances shown in figure 2.12. [1]

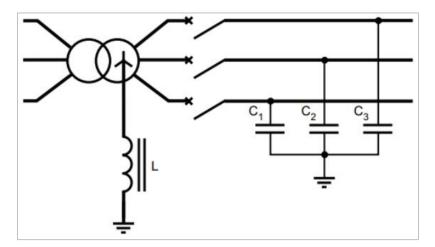


Figure 2.12: Resonant grounding system

2.3.2. Effects of Ferroresonance on Power Systems

As it may be seen hereinafter, due to the different factors involved in the ferroresonance phenomenon, when it occurs the situation can be rather disconcerting. That is why it is so important to identify the most common symptoms of a ferroresonance situation which are summarized as follows:

- High permanent over voltages of differential mode (phase-to-phase).
- High permanent over currents.
- High permanent distortions of voltage and current waveforms.
- Displacement of the neutral point voltage.
- Transformer heating.
- Loud noise in transformers and reactances.
- Damage of electrical equipments (capacitor banks, voltage transformers etc...).
- Untimely tripping of protection devices.

Some of the effects are not only special to ferroresonance; an initial analysis can be done by looking at voltage waveforms. If it is not possible to obtain recordings or if there are possible interpretations for effects, not only system configuration should be checked but also events prior to ferroresonance. Following step is to determine if three conditions are met in order ferroresonance to happen;

- Co-existence of capacitances and non-linear inductances
- Existence of a point whose potential is not fixed (isolated neutral, single phase switching)
- Lightly loaded system (unloaded power or voltage transformers)

If any of these conditions are not met, ferroresonance is said to be very unlikely [1].

In reference [6], ferroresonance occurred because of switching operations during commissioning new 400-kV substation where grading capacitance of a circuit breaker involved. It is reported that two voltage transformers are driven into sustained ferroresonance state. Ferroresonance experienced in Station Service Transformer during switching operations by firstly opening the circuit breaker and then the disconnecter switch located at the riser pole surge arrester [7]. Oscillations caused explosion of surge arrester.

In reference [8], explosion of a voltage transformer is reported. One of the buses was removed because of installing of new circuit breaker and current transformer, at the same time maintenance and line trip testing were conducted. Voltage transformers on the de-energized bus were energized by near on-operation bus bar through grading capacitors.

2.4. Controlling Ferroresonance

According to CIGRE technical brochure no. 569, mitigation techniques applicable to the power transformer are grouped into three basic approaches [18]:

- Avoid circuit parameters or operating conditions favouring ferroresonance
- Minimize the energy transfer that is required to sustain the ferroresonant oscillations
- Control the duration of ferroresonance by the operational switching

Based on these approaches, four kinds of the mitigation techniques are derived as follows:

- (a) An increase of the capacity of shunt capacitance at the transformer primary side.
- (b) An insertion of the capacitor bank at the transformer secondary side.
- (c) An installation of the resistive load bank at the transformer secondary side.
- (d) A change of the transformer saturation characteristics with the low flux density.

International standards state that resonance over voltages should be prevented or limited, those voltage values cannot be taken basis for insulation design. So in theory, current design of insulations and surge arresters do not provide protection against ferroresonance [9].

There are some researches on dynamical damping of ferroresonance, prototypes are introduced [10], [11] but the most common used practice is static damping with damping resistors.

In case of power transformers whose are fed through capacitive lines, the best solution proposed is avoiding risky situations when active power delivery is less than 10% of the transformer rated power [1]

For configurations in figure 2.10, following practical solutions are advised [1];

- Lowering capacitance between circuit breaker and transformer
- Avoiding use of transformers at 10% of its rated capacity
- Avoiding no-load energizing
- Prohibiting single-phase operations

For MV power systems grounded through a reactor figure 2.12, overcompensation of power frequency capacitance component of the ground fault current can be done or a resistive component to increase losses can also be added [1].

2.4.1. Damping Ferroresonance in Voltage Transformers

As mentioned before, voltage transformers connected between phase and ground in neutral isolated systems is dangerous for ferroresonance oscillations to happen. It is advised that avoid wye-connections of voltage transformer primaries with grounded neutral by leaving neutral of primaries ungrounded or using delta connection instead [12], [13]. If wye-connection for primaries is used, only way left to damp a possible oscillation is to introduce load resistances.

2.4.1.1. Voltage Transformers with one Secondary Winding

Even though resistors will consume power during operation, damping resistors are used to damp possible ferroresonant oscillations in figure 2.13. Recommended minimum values of resistance R and power rating of resistor P_R are calculated with rated values of transformer in (2.1) and (2.2) [13], [1].

$$R = \frac{U_s^2}{k P_t - P_m}$$
(2.1)
$$P_R = \frac{U_s^2}{R}$$
(2.2)

where; Us: rated secondary voltage (V)

k: factor between 0.25 and 1 regarding errors and service conditions

Pt: voltage transformer's rated output (VA)

Pm: power required for measurement (VA)

2.4.1.2. Voltage Transformers with two Secondary Windings

There is also an option to have two secondaries in voltage transformers. One is for measurement and second one is especially for damping (tertiary winding). The advantage to have damping resistors in the open delta connected secondary winding is that it is only active during unbalanced operation. During the balanced operation no current circulates in open delta. Recommended minimum values of resistance R and power rating of resistor P_R are calculated with rated values of transformer in (2.3) and (2.4) [13], [1].

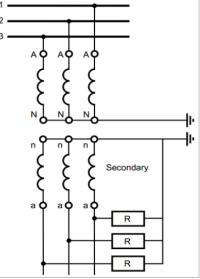


Figure 2.13: Damping for voltage transformer with one secondary.

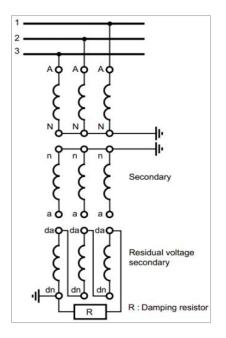


Figure 2.14: Damping for voltage transformer with two secondaries.

$$R = \frac{3\sqrt{3} U_{S}^{2}}{P_{e}}$$
(2.3)
$$P_{R} = \frac{(3U_{S})^{2}}{R}$$
(2.4)

where; Us: rated voltage of the tertiary winding (V)

Pe: rated thermal burden of tertiary winding (VA) is the apparent power than voltage transformer can supply without exceeding thermal constraints.

2.4.2. Limiting the cable length switched

Limiting the cable length to be less than the length established by the Baitch Ferroresonance Critical Cable Length will limit the overvoltage that may occur to $(1 + \sqrt{3})$ times phase-to-earth voltage. The effect of iron losses will tend to result in the overvoltage being less that $(1 + \sqrt{3})$ times phase-to-earth voltage.

There are some issues on ferroresonance as follows:

- Isolating a power transformer from the grid during ferroresonance oscillations using a disconnector between the transformer and the circuit breaker
- Effectiveness of surge arresters for the actual ferroresonance.
- Varying residual flux of the iron core in a power transformer

2.5 conclusion

At the end of this chapter, the appearance of various types of ferroresonance oscillations in a power system was presented. Then we have discussed some typical configurations that may lead to destructive effects that make us care about it and looking hardly for controlling it. In the next chapter we will analyze and make simulation to the first vulnerable configuration to this phenomenon in section **2.3.1.1** using ATP program trying to damp it.

Chapter 3 Simulation results

3.1. Introduction

In practice the ferroresonant oscillations may be initiated by momentary saturation the core of the inductive element resulting from e.g. switching operation or other type of event resulting in a transient overvoltage in the system. The undamped ferroresonant oscillations in power system are dangerous to the equipment installed due to large overcurrents and/or overvoltages which may ultimately lead to permanent equipment damage. [14]

In this chapter numerical simulations of the ferroresonance phenomenon in the MV inductive voltage transformer are presented. The ferroresonant oscillations analyzed result from interaction between the voltage transformer and a grading capacitance of a circuit breaker. [14] our simulation will be analyzed on electrical power network of Haoud Berkaoui using Alternative Transient Program.

3.2. The electrical power network of Haoud Berkaoui

The region of Haoud Berkaoui represents one of ten principles hydrocarbons productive zones of Algerian desert. It is situated at 35 Km to south west of Wilaya of Ouregla. Figure 3.1 shows the geographic location of Haoud Berkaoui. [15]

The electrical power network implemented by Schneider Electric as part of the electrification project of Haoud Berkaoui is composed of three high-voltage substations. Which are located in Guellala, Hauod Berkaoui and Benkahla; they are powered by 60kV from the Algerian national electricity company Sonelgaz. Each substation is composed of control buildings, premises and equipment home building separate GIS and thus protecting the metal-clad high-voltage SF6. The transformers are located outside

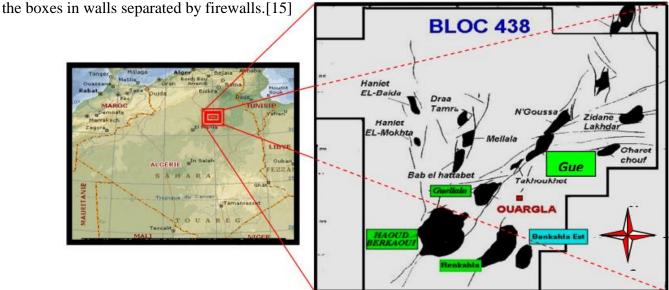


Figure 3.1: the geographic location of Haoud Berkaoui.

3.3. Highlights about Alternative Transient Program

Transient analysis of electrical circuits is as important as steady-state analysis. When transients occur, the currents and voltages in some parts of the circuit may many times exceed those that exist in normal behavior and may destroy the circuit equipment in its proper operation. A number of simulation tools have been developed in the last few years, especially for steady state simulations. Few programs are able to accurately determine the response of a system to a transient; one of these programs is ATP. [16]

3.3.1. What is ATP ?

ATP is a universal program system for digital simulation of transient phenomena of electromagnetic as well as electromechanical nature. With this digital program, complex networks and control systems of arbitrary structure can be simulated. ATP has extensive modelling capabilities and additional important features besides the computation of transients. It has been continuously developed through international contributions. ATP was formed after a disagreement over commercialization in 1984 and has been continuously developed by both Drs. W.Scott Meyer and Tsu-huei Liu. [17]

ATP program calculates variables of interest within electric power systems as functions of 3 to solve the differential equations of system components in the time domain. Non-zero initial conditions can be determined either automatically b y a steady state, phasor solution or they can be entered by the user for some components.

ATP has many models including rotating machines, transformers, surge arresters, transmission lines and cables. With this digital program, complex networks of arbitrary structure can be simulated. Analysis of control systems, power electronics equipment and components with nonlinear characteristics such as arcs and corona are also possible. Symmetric or asymmetric disturbances are allowed, such as faults, lightning surges, or any kind of switching operations including commutation of valves. Calculation of the frequency response of phasor networks is also supported. [17]

3.3.2. ATPDraw

ATPDraw is a graphical, mouse- driven preprocessor to ATP. It helps creating and editing the model of the electrical circuit the user wants to simulate interactively. In the program the user can construct an electric circuit, by selecting predefined components from an extensive library. The preprocessor then creates the corresponding ATP input file, automatically in correct format.

ATPDraw has a standard Windows user interface. Figure 3.2 shows the main window of ATPDraw containing two open circuit windows. ATPDraw supports multiple documents and offers the user to work on several circuits simultaneously along with the facility to copy information between the circuits. The size of the circuit window is much larger than the actual screen, as is indicated by the scroll bars of each circuit window. [17]

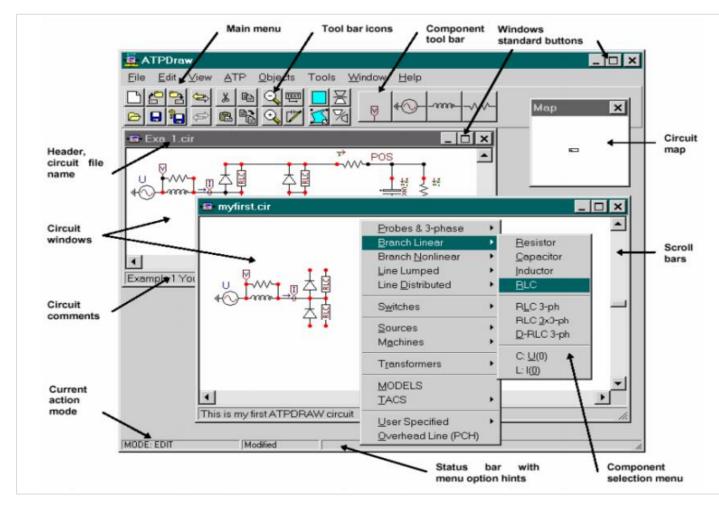


Figure 3.2: Main Window Multiple Circuit windows and the floating Selection menu.

3.4. The real electrical circuit of Haoud Berkaoui

3.4.1. Description of the circuit

Figure 3.3 shows the single line diagram of Haoud Berkaoui. It is formed by a generator as source followed by transmission line connected to two big transformers in parallel, there are two transformers 30/5.5 KV with rated power 6300 KVA each, both connected to 5.5KV bas bare. This bas bare feeds:

- Two motors of the compressors of rated power 2060 KW for each one.
- Two transformers 5.5/0.4 KV of rated power 500 KVA used for lightning, motors, air conditioning, 220 volts sources.

- One motor feeds pump Security 315KW.
- Water injection unit which feeds three electro-pumps of rated power 560 KW. [15]

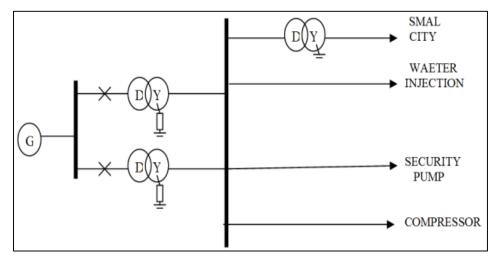


Figure 3.3: The one line diagram representation.

3.4.2. The characteristics of the equipment used in the Substation:

All important parameters which have been taken even from the station or from the Web site of the companies that have made those instruments are listed below:

***** Two transformer TR1 and TR2 (MV):

- Rated power: 6300 KVA	Primary voltage: 30000 V	- Secondary voltage: 5750 V
- Primary current: 121,24 A	- Secondary current: 632,57 A	
✤ A Transformers TR3 (LV):		
- Rated power: 250 KVA	- Primary volta	ge: 5500 V
- Secondary voltage: 400 V	- Primary curre	ent: 24 A
- Secondary current: 358.9 A		
Three motors feed three pump	os for water injunction:	
- Number of phases: Three	- Rated power: 560 KW	- Voltage: 5500 V
- Current: 69,5 A	- Frequency: 50 Hz	- Cos Φ: 0,88
- Rotation speed: 1494 rev/min	-Weight: 4600 Kg	-Type of connection: Star
* Two motors feed two compres	sors:	
- Number of phases: Three	- Rated power: 2060 KW	- Voltage: 5500 V
- Current: 242,7 A	- Frequency: 50 Hz	- Cos Φ: 0,93
- Rotation Speed: 2986 rev/min	-Weight: 8400 Kg	-Type of connection: Star

- The efficiency: 97.0%

***** One motor feeds a security pump:

- The rated power: 114.55 VA

- Number of phases: Three	- Rated power: 315 KW	- Voltage: 5500 V							
- Current: 40,6 A	- Frequency: 50 Hz	- Cos Φ: 0,86							
- Speed of rotation: 1488 rev/min	- Weight: 2420 Kg	- Type of connection: Star							
✤ The consumption parameters of the consumptis parameters of the consumption parameters of t	The consumption parameters of the city (RLC):								
- The real power: 103.09 KW	- The reactive power: 49.9	93 VAR							

- Power factor: 90.0%

3.4.3. ATP simulation results

In our simulation, ATPDraw software has been used to draw the circuit which is shown in figure 3.4. Synchronous machine has been represented as source of 30KV, the two transformers are 30/5.5KV, the small transformers are 5.5/0.4KV, the induction motor of 0.4KV and the loads are the RL equivalent circuit of the used light, pumps water injection...etc. The detailed elements of the ATPDraw circuit are given in the appendix.

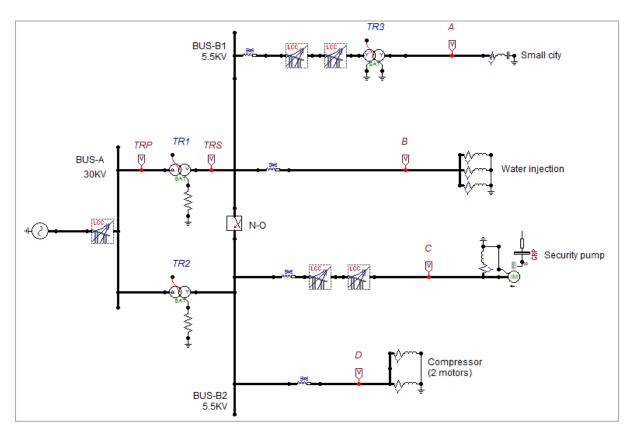
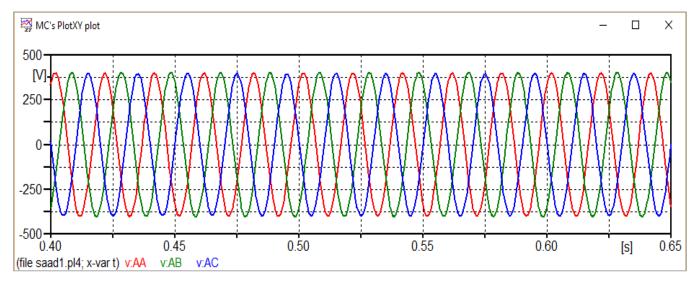


Figure 3.4: ATPDraw representation of the circuit of Haoud Berkaoui station.

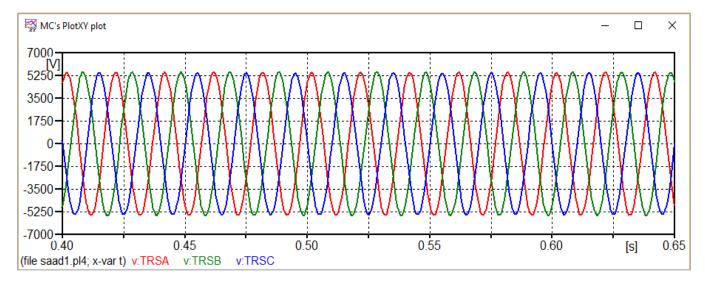
Figures 3.5 and 3.6 below show the steady state of the network, after checking the voltage waveform at points TRS, A, B, C and D for the loads.



The simulation result at point A:

Figure 3.5: The values of voltages at the point A.

Where the peak values of the three phases (A, B and C) at point A are: $V_A = 380$ V



> The simulation result at points TRS, B, C and D:

Figure 3.6: The values of voltages at the point TRS, B, C and D.

Where the peak values of the three phases (A, B and C) are: $V_{TRS} = V_B = V_C = V_D = 5.5 \text{KV}$

3.5. The Case study

Switching operations may cause ferroresonance in voltage transformers which are connected between phases and ground. A sample case of voltage transformer energized and de-energized through Grading capacitance of circuit breaker is illustrated in Figure 3.7.

Opening of circuit breaker D starts ferroresonance by causing capacitance C (all the capacitances to ground) to discharge through voltage transformer. Through grading capacitance Cd, source delivers enough energy to maintain oscillation.

Following is the circuit equipment condition:

- i. Before switching (Transformer energized)
 - Circuit breaker was close.
- ii. After switching (Transformer de-energized)
 - Circuit breaker was open.

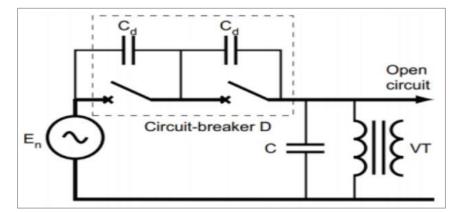


Figure 3.7: Voltage transformer connected in series with an open circuit breaker.

3.5.1 - The effect of changing grading capacitor (Cg):

In order to see the effect of the circuit breaker grading capacitance values on the occurrence of ferroresonance we have connected a circuit breaker consisting of its grading capacitance (Cg) at the primary side of the big transformers as shown in the gray area in Figure 3.8.

The commissioning of the system of Figure 3.8 was conducted as follows: the energization of the VT's from the 30 kV busbar when the circuit breaker (CB) were close and then de-energized the VT's by opening the circuit breaker (CB). The effect after the switching events has thus reconfigured the circuit into ferroresonance condition involving the interaction between the circuit breaker's grading capacitor and the transformers.

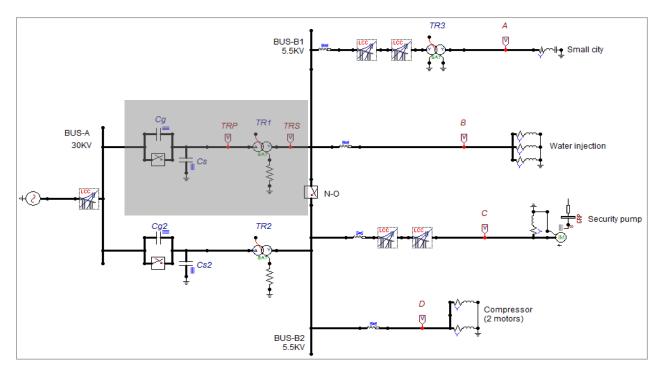


Figure 3.8: The ATP model circuit used for simulation

- Simulation results:

In order to look into the effect of grading capacitance on ferroresonance, let us look at a wider view by having the grading capacitance (Cg) varied. We assume also the variation of the coming voltage from the generation station, the network voltage values for which the ferroresonance risk will verified are: 80%, 100% and 120% of the rated voltage Vs (30Kv). The ferroresonant response was verified for opening the switch parallel to the Cg at the t= 0.5 s.

The voltage waveforms across the transformer TR1 (MV power transformer) with network voltage 100% Vs = 30 Kv are recorded as shown below:

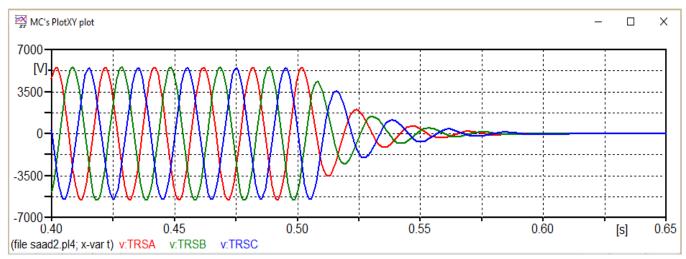


Figure 3.9: The voltages at point TRS with Cg= 1nF and 100% Vs

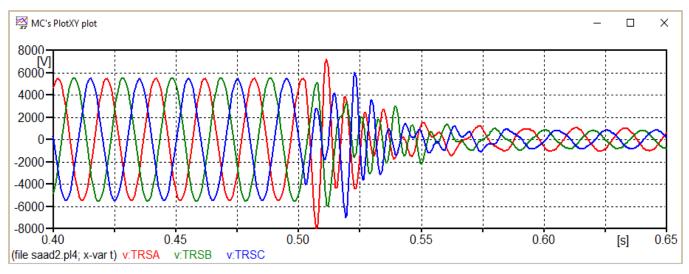


Figure 3.10: The voltages at point TRS with Cg= 600nF and 100% Vs

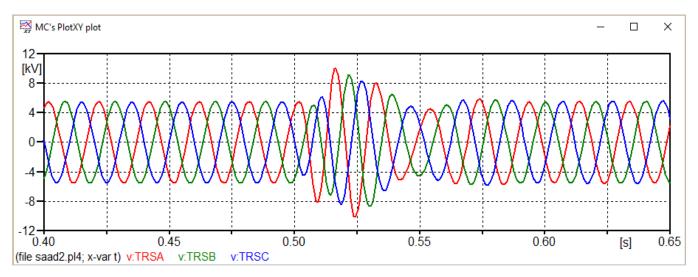


Figure 3.11: The voltages at point TRS with $Cg=2\mu F$ and 100% Vs

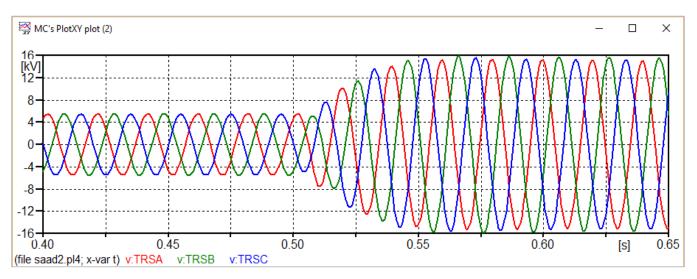


Figure 3.12: The voltages at point TRS with Cg= 5μ F and 100% Vs

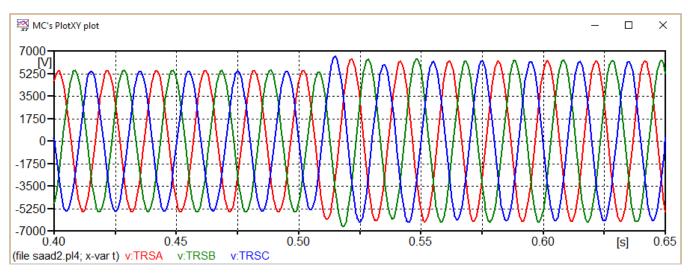


Figure 3.13: The voltages at point TRS with $Cg=30\mu F$ and 100% Vs.

Comments: In all the above waveforms. It could be seen that for Vs values of 100%, the ferroresonance may exist for $Cg = 0.6\mu$ F and above until the value $Cg = 30\mu$ F, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

Now we vary the network voltage down to 80% Vs = 24 Kv, then we record the voltage waveforms across the transformer TR1 as shown below:

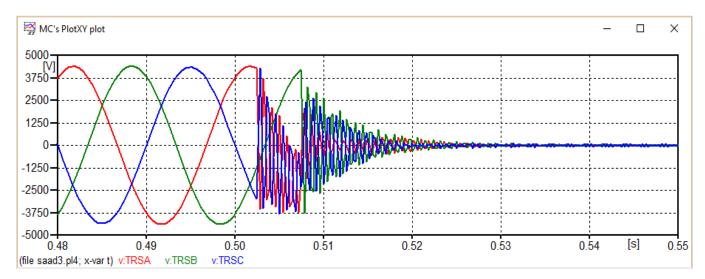


Figure 3.14: The voltages at point TRS with Cg= 1nF and 80% Vs.

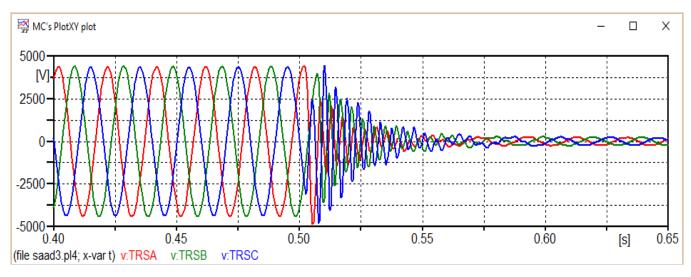


Figure 3.15: The voltages at point TRS with Cg= 600nF and 80% Vs.

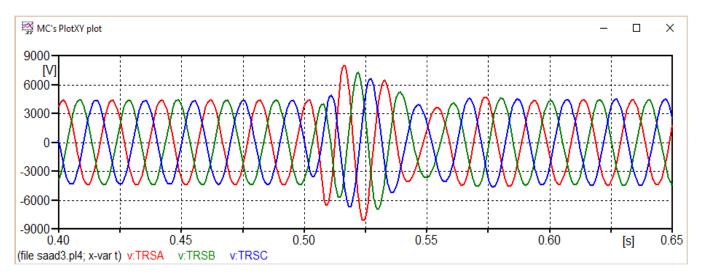
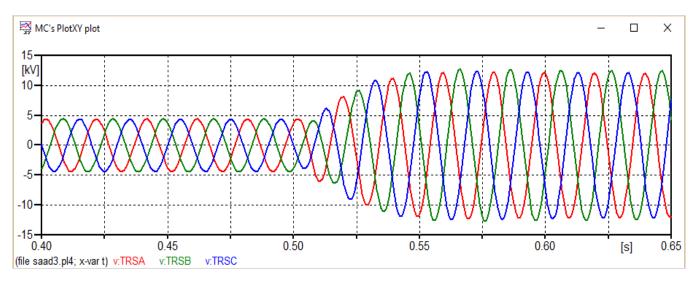
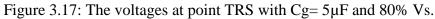


Figure 3.16: The voltages at point TRS with $Cg=2\mu F$ and 80% Vs.





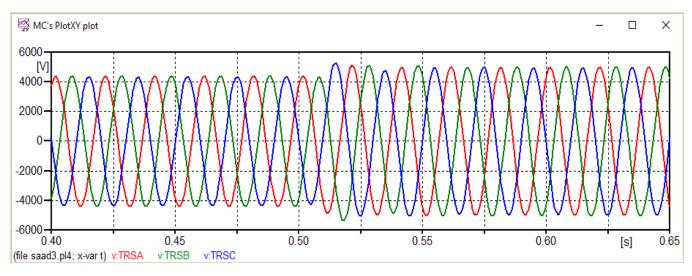


Figure 3.18: The voltages at point TRS with $Cg=30\mu F$ and 80% Vs.

Comments: In the above waveforms from figure 3-14 to 3-18. It could be seen that for Vs values of 80%, the ferroresonance doesn't exist for $Cg = 0.6\mu F$ as it is for Vs values of 100%, it exists for $Cg = 2\mu F$ and above until the value $Cg = 30\mu F$, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

Now we vary the network voltage up to 120% Vs = 36 Kv, then we record the voltage waveforms across the transformer TR1 as shown below:

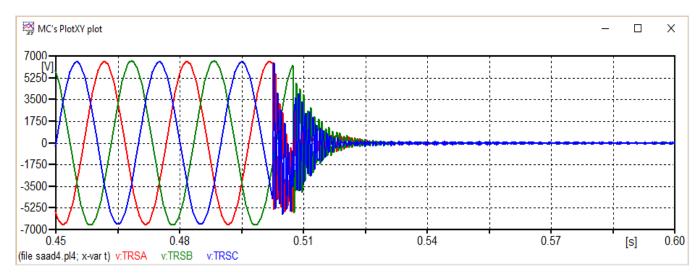
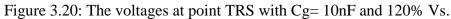


Figure 3.19: The voltages at point TRS with Cg= 1nF and 120% Vs.





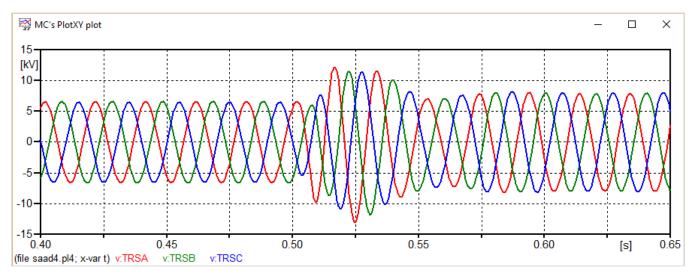


Figure 3.21: The voltages at point TRS with $Cg=2\mu F$ and 120% Vs.

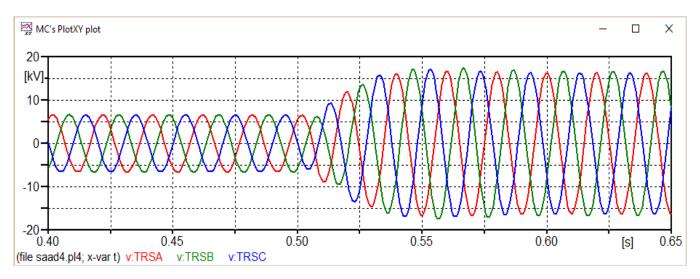


Figure 3.22: The voltages at point TRS with $Cg=5\mu F$ and 120% Vs.

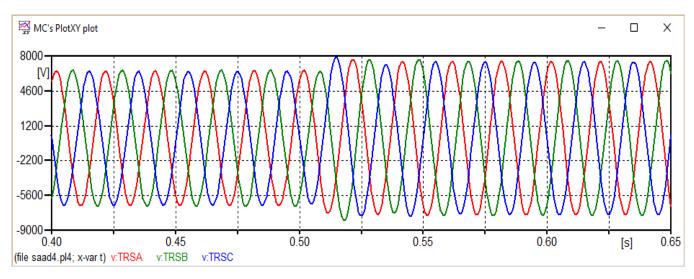


Figure 3.23: The voltages at point TRS with Cg= 30μ F and 120% Vs.

Comments: In the above waveforms from figure 3-19 to 3-23. It could be seen that for the extreme value of Vs = 120% however, a potential risk of ferroresonance was identified for Cg = 10nf and above, until the value Cg = 50μ F, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

After performing all the simulations to identify the ferroresonant combination of Vs and Cg values. This ferroresonant region is clearly shown in Table 1 below, summarizing the results of the peak value of overvoltage.

	80% Vs	100% Vs	120% Vs
1nF	NO (0 pu)	NO (0 pu)	NO (0 pu)
10nF	NO (0 pu)	NO (0 pu)	YES (1.3 pu)
600nF	NO (0 pu)	YES (1.5 pu)	YES (1.6 pu)
2μF	YES (1.8 pu)	YES (2 pu)	YES (2.1 pu)
2.5µF	YES (2.1 pu)	YES (2.3 pu)	YES (2.5 pu)
5μF	YES (2.85 pu)	YES (2.9 pu)	YES (3.1 pu)
10µF	YES (2.1 pu)	YES (2.2 pu)	YES (2.3 pu)
15µF	YES (1.35 pu)	YES (1.4 pu)	YES (1.6 pu)
30µF	NO (1.2 pu)	NO (1.25 pu)	YES (1.4 pu)
50µF	NO (1 pu)	NO (1 pu)	NO (1.2 pu)

Table 3.1: Ferroresonance simulations results summary of maximum overvoltage for Cg.



We have plotted the corresponding graph of this table:

Figure 3.24: The effect of the grading Capacitance on ferroresonance.

General comments:

Finally, we conclude that the best values of grading capacitor which insure a high speed switching for the circuit breaker are: C < 1nF for the three cases of Vs

Also the interval of grading capacitance which causes overvoltage more than 1.5 per unit:

$2\mu F < C < 10\mu F$

The Figure 3.24 referred that for values greater than $15 \,\mu F$ it will appear overvoltage start to be less and less because the resistance of the capacitor was being smaller every time which damp out the extra power of the system.

Varying the value of the source voltage has its effect on ferroresonance especially at the small values of Cg as shown above in the red region (Figure 3.24) and table 3.1, which in the case of 80% Vs the risk

of ferroresonance is suppressed at Cg = 600nf, unlike what exist in the other cases. Also the opposite in the case of 120% Vs, which the risk of ferroresonance extended to Cg = 10nf.

3.6. Practical solution

3.6.1. Increasing the value of shunt capacitance at the transformer primary side

As mentioned in section 2.4, increasing the capacity of shunt capacitance at the transformer primary side is one of the ferroresonance mitigation techniques.

In order to confirm its effectiveness, we create a ferroresonance situation at it is optimum, by fixing the value of grading capacitor $Cg = 5\mu F$ as we see in figure 3.12, then we try to change the value of the shunt capacitor Cs at the transformer primary side. The simulation results are summarized in Table 3.2, and Figures 3.26, 3.27 and 3.28 show voltage waveforms at transformer secondary side for case 1 with ferroresonance, the threshold in case 3 and its elimination in case 5.

Industry analysts have empirically assumed that when the voltage exceeds 1.25 pu, the system is said to be "in ferroresonance" [19].

Cases	Capacitor (µF)	Maximum overvoltage (pu)	state
1	0.5	2.4	In ferroresonance
2	2.5	1.3	In ferroresonance
3	2.7	1.25	Threshold
4	3	1.15	Non ferroresonance
5	5	0.8	Non ferroresonance

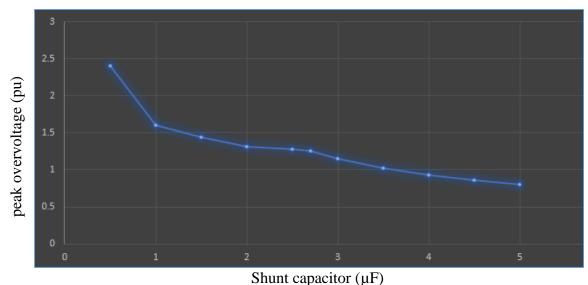
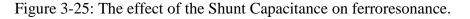
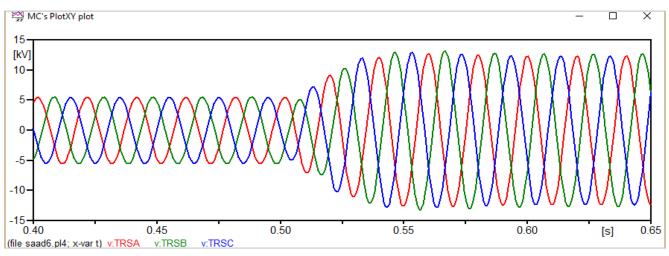
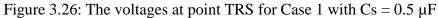


Table 3.2: Simulation results of maximum overvoltage for shunt capacitors.







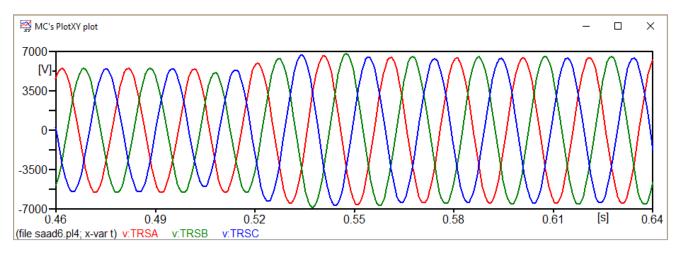


Figure 3.27: The voltages at point TRS for case 3 with Cs = 2.7 μ F

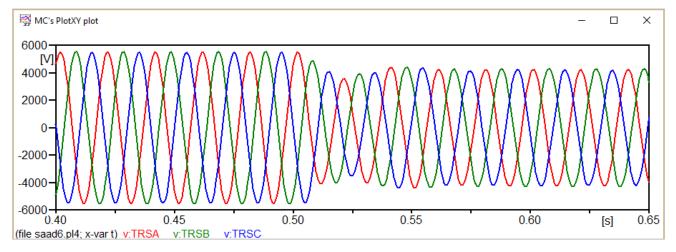


Figure 3.28: The voltages at point TRS for Case 5 with $Cs = 5 \ \mu F$

Comments:

According to industry analysts, we see from the table 3.2 and figure 3.25 above that the value of $Cs = 2.7 \ \mu F$ is the threshold value, and ferroresonance can be avoided by installing the shunt capacitor $Cs \ge 2.7 \ \mu F$ in this study case. But in the case of $Cs < 2.7 \ \mu F$ the ferroresonance is reduced slowly when Cs increased from small values until 2.7 μF .

The increasing at the value of shunt capacitance connected in the transformer primary side is very effective to reduce the risk of ferroresonance. Despite the high cost of implementation, it is one of the best solutions if the transformer secondary side is not accessible.

3.6.2. Installing a capacitor bank at the transformer secondary side

The second solution is to install the capacitor bank to suppress ferroresonance. As many papers and technical reports propose the insertion of the capacitor bank at the delta connected tertiary winding [20]. This can only be applicable to the power transformers with tertiary winding terminals. It is considered that the capacitor bank Cb is located at the transformer secondary side in the study because the transformer applied to this study does not have tertiary winding as shown in gray region in figure 3.29.

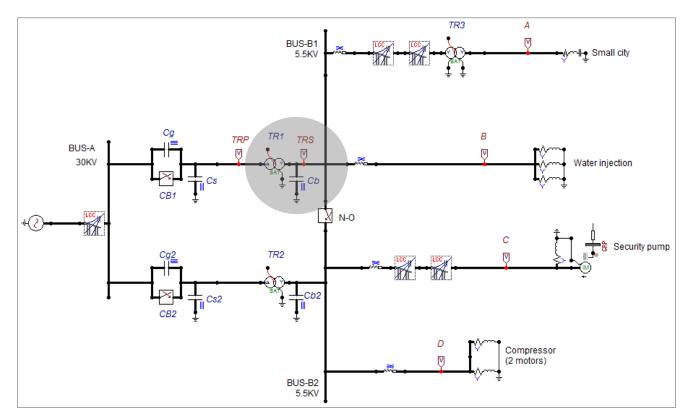
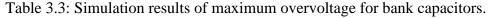


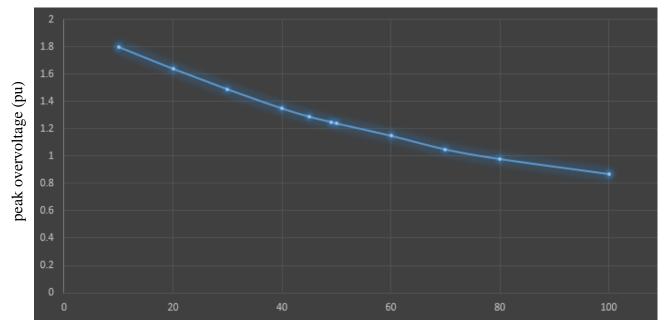
Figure 3.29: Capacitor bank at the transformer TR1 secondary side.

CHAPTER 03

In order to confirm its effectiveness, we create a ferroresonance situation at it is optimum, by fixing the value of grading capacitor $Cg = 5\mu F$ as we see in figure 3.12, then we try to change the value of the bank capacitor Cb at the transformer secondary side (see figure 3-29). The simulation results are summarized in Table 3.3, and Figures 3.31,3.32 and 3.33 show voltage waveforms at transformer secondary side for case 1 with ferroresonance, the threshold in case 4 and its elimination in case 7.

Cases	Capacitor (µF)	Maximum overvoltage (pu)	state
1	10	1.8	In ferroresonance
2	40	1.35	In ferroresonance
3	45	1.29	In ferroresonance
4	49	1.25	Threshold
5	50	1.24	Non ferroresonance
6	60	1.15	Non ferroresonance
7	100	0.87	Non ferroresonance





Bank capacitor (µF)

Figure 3.30: The effect of the Bank Capacitance on ferroresonance.

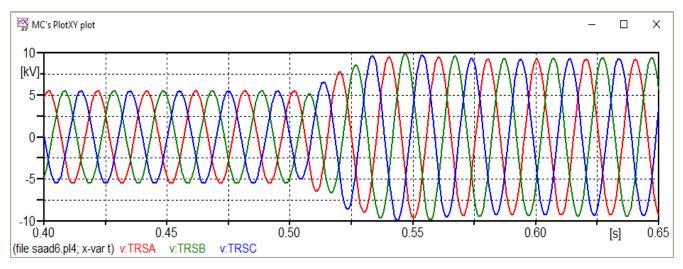


Figure 3.31: The voltages at point TRS for Case 1 with $Cb = 10 \ \mu F$

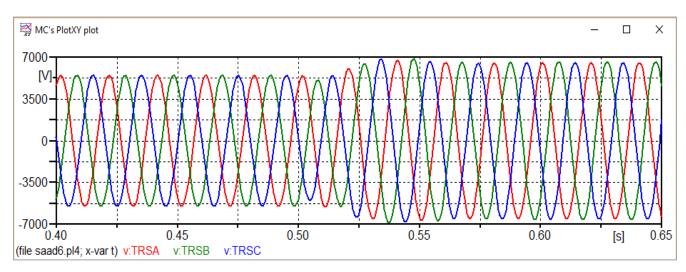


Figure 3.32: The voltages at point TRS for Case 4 with $Cb = 49 \ \mu F$

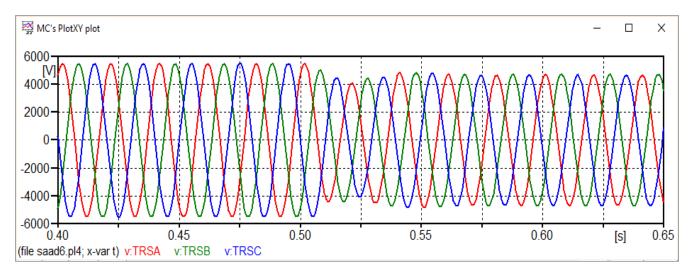


Figure 3.33: The voltages at point TRS for Case 7 with $Cb = 100 \ \mu F$

Comments:

According to industry analysts, we see from the table 3.3 and Figure 3.30 above that the value of $Cb = 49 \ \mu F$ is the threshold value, and ferroresonance can be avoided by installing the bank capacitor $Cb \ge 49 \ \mu F$ in this study case. But in the case of $Cb < 49 \ \mu F$ the ferroresonance is reduced slowly when Cs increased from small values until 49 μF .

It can be observed that the high capacity of the capacitor bank is very effective on the suppression of ferroresonance. This countermeasure has the disadvantages such as its higher cost and the possibility of explosion in practice. In other words, the capacitor bank at the transformer secondary side can significantly reduce the risk of ferroresonance, however it also has disadvantages as well.

3.6.3. Installing a damping resistor at the transformer secondary side

Historically, the most commonly used mitigation method is a resistor connected to the transformer TR1 secondary side as shown in figure 3.34. The zero-sequence voltage present at the resistor terminals results in the zero-sequence current resulting from the ferroresonant oscillations.

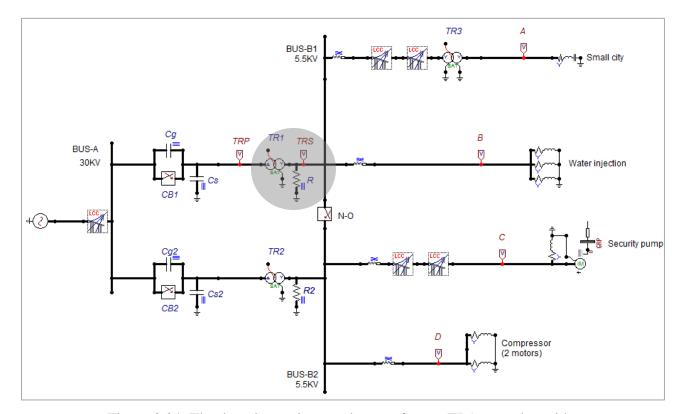


Figure 3.34: The damping resistor at the transformer TR1 secondary side.

This simple method, however, has a limited applicability in the case of the modern, compact constructions of the VTs, utilizing low-loss magnetic materials since typical core losses (oriented steel) are lower than 50 W, which has little effect on the damping properties.

Both computer simulations and experiments showed in many cases that the resistance value needed for efficient damping of the ferroresonant oscillations is very small ($R < 20 \Omega$) and the resulting power dissipated in the damping resistor is greater than several hundreds of watts.

Now we try to see the effect of this method we try to vary R around the value of 20 Ω , table 3.4 summarizes the simulation results and figures 3.36,3.37 and 3.38 show voltage waveforms at transformer secondary side for case 5 with ferroresonance, the threshold in case 4 and its elimination in case 1.

Cases	Resistor (Ω)	Maximum overvoltage (pu)	state
1	12	0.9	Non ferroresonance
2	15	1.1	Non ferroresonance
3	20	1.18	Non ferroresonance
4	25	1.25	Threshold
5	30	1.29	In ferroresonance

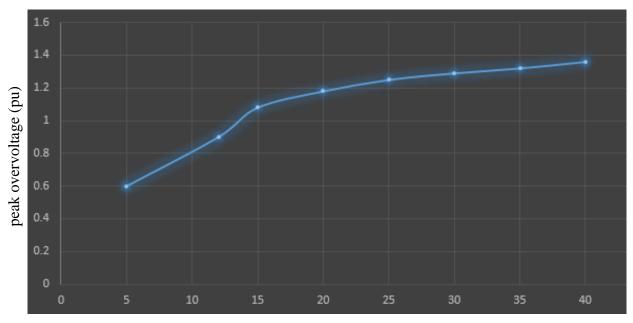


Table 3.4: Simulation results of maximum overvoltage for damping resistor.

Damping resistor (Ω)

Figure 3.35: The effect of the Damping resistor on ferroresonance.

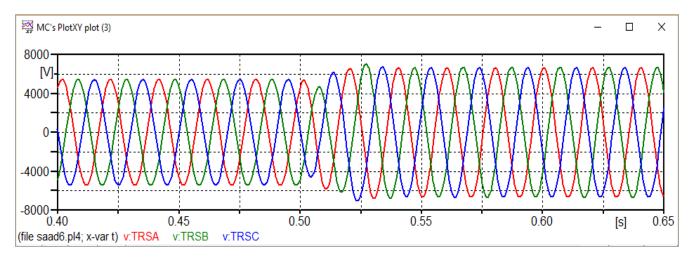


Figure 3.36: The voltages at point TRS for Case 5 with $R = 30 \Omega$

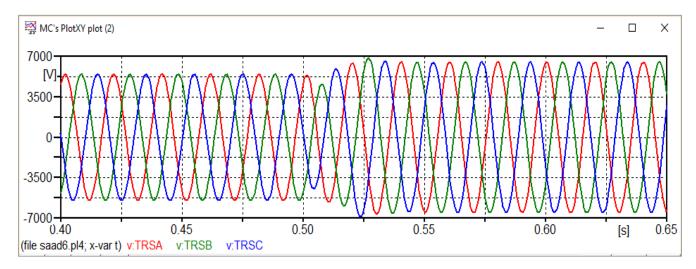


Figure 3.37: The voltages at point TRS for Case 4 with $R = 25 \Omega$

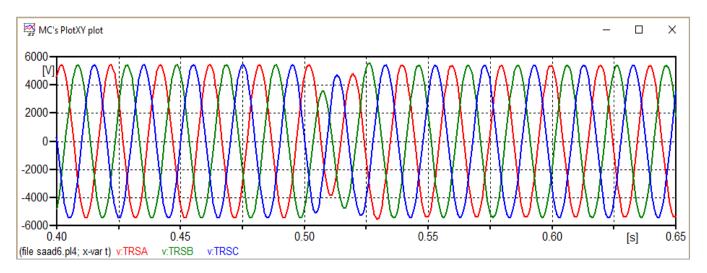


Figure 3.38: The voltages at point TRS for Case 1 with $R = 12 \Omega$

Comments:

Table 3.4 and Figure 3.35 shows the simulated effectiveness of the ferroresonant oscillations damping with the resistor. It can be seen that the use of the resistor $R = 12\Omega$ eliminate the ferroresonance with peak voltage V = 0.9 pu, and the use of the value of R larger than approximately 12Ω has a small influence on avoiding the ferroresonance, until the threshold $R = 25\Omega$ the ferroresonance is observed.

However, in practice, using a damping resistor of such a low value results in a risk of thermal damage of the VTs during abnormal network asymmetry resulting from prolonged earth faults. There are other known methods of preventing ferroresonance, such as the use of a saturable inductor in series with a damping resistor.

This approach, despite its applicability in high-voltage (HV) capacitive VTs with an intermediate inductive VT, is practically not used in the MV voltage transformers. The use of the R–L circuit overcomes the thermal problem in the case of the earth fault situation. However, the efficiency of damping is limited (it conducts current only above the saturation level of the inductor) and, thus, a very precise design of the damping circuit for a specific VT type is required.

3.7. Conclusion

The analysis presented in this chapter on the case study example showed the approach applicable to studying the potential of the ferroresonant behavior of the real power network. we have seen almost the parameters that can affect ferroresonance which are the grading capacitor of the circuit breaker and the source voltage.

The use of the ATP environment can be used to identify the potential ferroresonant combinations of parameters (voltage and capacitance) and allows one to select appropriate mitigation scheme as we have seen in section 3.6.

GENERAL CONCLUSION

GENERAL CONCLUSION

Even though ferroresonance is not very common, it is a problem in power systems. To get familiar with it, it is compared to linear resonance. The ferroresonance has dangerous consequences like stable overvoltages and overcurrents. Risky configurations are mentioned and prevention of ferroresonance is discussed, because they are considered to be catastrophic when they occur.

In addition, ATPDraw software has been developed to simulate one of the critical situations for the ferroresonance to appear, which is the interaction between the grading capacitor of circuit breaker and MV power transformer. The influence of capacitance values has been analyzed through several software simulations, considering the critical capacitance values.

Some practical solutions are suggested and introduced in the ATPDraw representation of the circuit of Haoud Berkaoui station after creating a ferroresonance situation, such as installing a shunt capacitor at the transformer primary side and installing a capacitor bank or a damping resistor at the secondary side, they had a considerable effect on damping and eliminating the risk of ferroresonance.

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The definitions and parameters

> Source : 4

Name: ACSOURCE - Steady-state (cosine) function (voltage) Grounded; TYPE 14.

Component: AC	SOURCE						×		
Attributes									
DATA	UNIT	VALUE		NODE		PHASE	NAME		
AmplitudeA	Volt	30000		AC		ABC	×0019		
Frequency	Hz	50							
PhaseAngleA	degrees	0							
StartA	sec	-1							
StopA	sec	100							
Copy Paste entire data grid Reset Order: 0 Label:									
Co <u>m</u> ment:									
Type of source Current Voltage	Num phases Single 3-phase 3*1-phase	Angle units	0	Amplitude Peak L RMS L RMS L	-G	Grounding Grounded Ungrounded	l Hide		
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> Transformer: •

Name: Sat-Trafo - General saturable transformer. 3 phase. 2 windings, Delta, Wye .with 30° phase shifts.

Componer	t: SATTRA	FO				×
Attributes	Character	istic				
	Prim.	Sec.		NODE	PHASE	NAME
U [V]	30000	3180		Primary	ABC	×0045
R [ohm]	0.0005	0.0005		Seconda	ary ABC	S
L [mH,ohm]	0.05	0.05		Starpoin	t ABC	×0038
Coupling	D -	ÎY 🚽	1	Sec-N	1	₩0039
Phase shift I(0)= 0 F(0)= 2	R0=	30 ▼ :000¢0000 11500	S-leg core RMS 3-winding Orde	ər: O	Label:	
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Model: PI Unit system: Metric

				L20						X
Model Data Nodes	M	odel	Data 👔	Vodes						
Wodel Data Nodes System type Pho [ohm*m] 20 Overhead Line #Phr. 3 Transposed Prog. init [Hz] 50 Auto bundling 0.7 Skin effect Units Segmented ground Metric Real transf. matrix English Model Type Other Data Printed output Image: Control output Image: Control output	W # 1 2 3	Ph.no.		Rout [cm] 0.545 0.545 0.545	Resis [ohm/km DC] 0.303 0.303 0.303	Horiz [m] -0.75 0 0.75	Vtower [m] 10 10 10	Vmid [m] 8 8 8		
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Induction Motor (Security pump): GRP GRP

Component: UM_3		×	Component: UM_3			×
Attributes			Attributes			
General Magnet Stator Rotor Init Stator coupling Pole pairs: 2 Rotor coils d 1 Frequency: Global 50 50 Automatic Tolerance: 0.1885	NDDE PHASE Stator ABC M_NODE 1 Neut 1	NAME P XX0026	General Magnet Stator Rotor Init LMUD: 0.003533 LMUQ: 0.003533 Saturation © none © d 0 g both © symm	NODE Stator M_NODE Neut	PHASE ABC 1 1	NAME P XX0026
Order Comment Output TQOUT 0	▼ THOUT	Hide	Orc Comment Output TQUIT 0 0 1 0 2 0 3 0 0 1 0 :	2 @ 2	Labet THOUT CURR	Hide
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APPENDIX

Component: UM_3			X	Component: UM_3
Attributes				Attributes
General Magnet Stator Rotor Init	1	PHASE	NAME	General Magnet Stator Rotor Init NODE PHASE NAME
R [ohm] L [H/pu]		ABC 1	P ××0026	Stator ABC P R [ohm] L [H/pu] M_NODE 1 XX0026
0 0 d 0.01673 0.1968 q 0.01673 0.1968	Neut	1		1 0.017405 0.1968 2 0.017405 0.1968
Orde	er: O	Label:		Order: 0 Label:
Comment: Output TQOUT 0 0 1 2 3 0 0 1 2	© 3 ♥ CUF		Hide	Comment Output TQDUT 0 0 1 2 3 0 0 1 2 3 CURR
Edit definitions 0	K I	Cancel	Help	Edit definitions OK Cancel Help

Component:	UM_3						×	J
Attributes								
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Manual					Stator	ABC	P	
Stator	I [A]	Rotor	I [A]		M_NODE	1	XX0026	
0	0	1			Neut	1		
d	0	2	0					
q	0							
	M [rad/s]:		0	Order:	0	Label:		
-Output	Comment: Dutput TQOUT @ 0 @ 1 @ 2 @ 3 @ 0 @ 1 @ 2 @ 3 @ CURR							
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➢ RLC load of the Small City:

Name: RLCY3. Y-coupling

Independent values in phases.

		r			1	1
DATA	UNIT	VALUE		NODE	PHASE	NAME
L_1	mH	9.4		IN	ABC	RLC
C_1	Fڪئ	0.01		OUT	1	
R_2	Ohm	1.5				
L_2	mH	9.4				
C_2	Fئ	0.01				
R_3	Ohm	1.5				
L_3	mH	9.4	Ξ			
C_3	Fئ	0.01	~			
	Paste entire da	ata grid Reset	Order	0	Label:	
Commer						Hide
Co <u>m</u> mer		•				Hide

APPENDIX

Componer	nt: RLCY3					X	Com	ponent	t: RLCY3					
Attributes							Attri	outes						
DATA	UNIT	VALUE		NODE	PHASE	NAME	DAT	A	UNIT	VALUE		NODE	PHASE	NAME
R_1	Ohm	78	Ξ	IN	ABC	W	B_1		Ohms	47.65	\equiv	IN	ABC	SP
_1	mH	407		OUT	1		L1		mH	580		OUT	1	
<u>_1</u>	Fئ	0					C_1		Fء	0				
_2	Ohm	78					R_2		Ohms	20				
_2	mH	407					L_2		mH	580				
_2	Fئ	0					C_2		Fئ	0				
_3	Ohm	78					R_3		Ohms	20				
_3	mH	407	-				L_3		mH	580	-			
		-	-											
Сору	Paste entire da	ta grid Reset	Order:	0	Label:		Co	py P	aste entire data	grid Reset	Order:	0	Label:	
Co <u>m</u> men	t:						0	Co <u>m</u> ment:						
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						\$Vintage,1								SVinta \$Vinta
Edit definit	ions		ОК		Cancel	Help	Ed	it definitio	ons		OK		Cancel	Help

RL load of Water Injection:

Name: RLCY3; Y-coupling, Independent values in phases.

RL load of Security Pump:

Name: RLCY3; Y-coupling, Independent values in phases.

Component:	RLCY3				×	Component:	LINESY_3					×
Attributes						Attributes						
DATA	UNIT	VALUE	NODE	PHASE	NAME	DATA	UNIT	VALUE	1	NODE	PHASE	NAME
B_1	Ohm	13.55	IN	ABC	С	Ro	Ohm/m	0.5	- 18	N1	ABC	F
L_1	mH	80	OUT	1		Lo	mH/m	0.1	0	DUT1	ABC	WI
C_1	Fئ	0				R+	Ohm/m	0.005				
R_2	Ohm	13.55				L+	mH/m	0.001				
L_2	mH	80										
C_2	Fئ	0										
R_3	Ohm	13.55										
L_3	mH	80										
Copy Pa:	ste entire data g		ler: O	Label:			Paste entire dat	a grid Reset I	Order: 4		Label:	
Co <u>m</u> ment:						Commen	t I					
- Output		•			Hide	Lines Length	100	[m]				Hide
					\$Vintage,1							
E dit definition	2		ок	Cancel	Help	Edit definit	ions		OK		Cancel	Help

RL load of compressor:

Name: RLCY3; Y-coupling, Independent values in phases.

≻ Cable: --[™]----

Name: LINESY_3 - Symmetric RL coupled line. Data given in positive and zero sequence.

The parameters of the circuit breaker used in the electric substation of HAOUD BERKAOUI

TYPE		記述記述	いい いい いい いい いう いう いう いう いう いう いう いう いう ひょう しょう しょう しょう しょう しょう しょう しょう しょう しょう し	83 83		82 82			
Rated voltage	kV	7	,2		12			17,5	
	kV	6	0		75				
Rated power frequency withstand voltage I min	k٧	2	2	28			38		
Rated short circuit breaking current	kA	20	28	12,5	16	25	12,5	16	25
	kA	50	70	31.5	40	63	31,5	40	63
Rated cable-charging breaking current	A		0		25	31,5			
Rated no-load transformer breaking current	A				20				
Rated operating sequence	1		0	- 0.3 s - CO	- 3 min CC)/CO - 15 s -	co		

	SL										
					ECB 5 08-06F EGB 5 08-12F	EGB 5 12-06F EGB 5 12-12F	EGB 5 16-06F	EGB 5 16-12F	EGB 5 25-12F		
Rated voltage	k٧		24				36				
Rated lightning impulse withstand voltage 1,2/50 µs		Che and	125		all statistics	170					
Rated power frequency withstand voltage I min	k٧	50					70				
			630	1250	630 1250	630 1250	630 1		250	1600	2500
Rated short circuit breaking current	kA	12,5	16	20	8 12,5		16			25	
Rated short circuit making current	kA	31,5	40	50	20 31,5		4	40		63	
Rated cable-charging breaking current	A	-	31,5				50)		
DC component		32									
Rated no-load transformer breaking current	Α	20									
Rated single capacitor bank breaking current		500									
Rated operating sequence	1		() - 0.3 s - (CO - 3 min (CO/CO - 15	s - CO				

 Table 1: Range of types and technical features from the company which design SF6 circuit breaker.

ELİMSAN Şalt Cihazları ve Elektromekanik San. ve Tic. A.Ş. pb: 295 • Uzuntarla • İZMİT • Phone: +90 262 375 28 10 • Fax: +90 262 375 28 08 _e-mail: elimsanuretim @ elimsangroup.com ELİ İthalat - İhracat ve Dış Tic. A.Ş. pb: 295 • Uzuntarla•İZMİT • Phone: +90 262 375 23 60 (pbx) • Fax: +90 262 375 23 22 _e-mail: eli @ elimsangroup.com WWW.elimsangroup.com



The characteristics of the used grading capacitors in electric sabstations of 30 KV

Part Number	Rated Voltage	Rated Voltage	Test Voltage	Corona Inception	Capacitance ±20%	Dir	nensions m	illimeters (ir	nches)	Packaging
	kVdc	kVrms	kVrms	Voltage (kVrms) (<10pc)	(pF) ±10% on request	Ø ± 1	d	L ± 1	H ± 2	Unit
HP30EX0561M HP30EX0751M HP30EX0102M HP40EX0152M HP40EX0152M HP40EX0220M HP50EX0252M HP50EX0272M HP50EX0332M HP60EX0372M HP60EX0402M	15	10	12	6	560 750 1000 1500 1800 2000 2500 2500 2500 3300 3700 4000	28 (1.100) 28 (1.100) 28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591)	22 (0.866)	16 (0.630)	40 40 40 40 40 40 45 45 45 20 20
HP60EX0502M HP60EX0562M HP30EY0501M					5000 5600 500	58 (2.283) 58 (2.283) 28 (1.100)	15 (0.591) 15 (0.591) 12 (0.472)			20 20 40
HP30EY0561M - HP30EY0751M - HP40EY0102M - HP40EY0132M - HP40EY0132M - HP50EY0202M - HP50EY0222M - HP50EY0222M - HP60EY0332M - HP60EY0332M - HP60EY0372M - HP60EY0402M -	20	15	18	9	560 750 1000 1300 2000 2200 2500 3000 3300 3700 4000	28 (1.100) 28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 48 (2.283) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591) 15 (0.591)	24 (0.945)	18 (0.709)	40 40 40 40 45 45 45 20 20 20 20
HP30E30561M HP40E30821M HP40E30102M HP40E31121M HP50E30152M HP50E30172M HP60E30272M HP60E30302M HP60E30332M	30	20	24	12	560 820 1000 1120 1500 1700 2000 2700 3000 3300	28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591)	26 (1.024)	20 (0.787)	40 40 40 45 45 45 20 20 20
HP30E40391M HP40E40751M HP50E40102M HP50E40142M HP60E40172M HP60E40202M HP60E40242M	40	28	33	17	390 750 1000 1400 1700 2000 2400	28 (1.100) 38 (1.500) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591) 15 (0.591)	30 (1.180)	24 (0.945)	40 40 30 20 20 20 20

Table 2: The parameters used in the substation indicated with a red color



People's Democratic Republic of Algeria Ministry of Higher Education and Scientific Research

University M'Hamed BOUGARA – Boumerdes



Institute of Electrical and Electronic Engineering Department of Power and Control

Final Year Project Report Presented in Partial Fulfilment of the Requirements for the Degree of

MASTER

In Electrical and Electronic Engineering Option: Power Engineering

Title:

Mitigating Ferroresonance in MV Power System Involving Power Transformer and Circuit Breaker Capacitance using Alternating Transient Program

Presented by:

- BEDDA ZEKRI Sad
- MEKKAOUI Tarek

Supervisor:

Mrs.BOUTORA.S

Registration Number:...../2016

Dedication

On the occasion of finishing my final year project, it gives me immense pleasure to express my gratitude to:

Who helped me to reach this degree, who I cannot live without them My Mother and My Father.

As Allah the Highest says: "And lower to them the wing of humility out of mercy" and say, "My Lord, have mercy upon them as they brought me up when I was small."

My uncles and My aunts

My Brothers: Abdelmounem, Ilyes, Foudil, Ziad and especially to my heart Ahmed. My lovely Sister: "Atika".

My Future Wife: "Sara".

My Supervisor: BOUTORA.S for her help, and all who learned me even a letter.

My Friends: ((especially my roommates Khaled M, Oussama T and Med ramzi CH)) My partner and best friend Tarek MEKKAOUI

and others Ali K, Bilal G, Djilani G, Hamza Z, Khaled B, ... and the list is so long.

With Love 🛞

SAD

Dedication

All praise to Allah, today we fold the days' tiredness and the errand summing up between the cover of this humble work.

To the utmost knowledge lighthouse, to our greatest and most honored prophet Mohamed - May peace and grace from Allah be upon him-

To the spring that never stops giving, to my mother who weaves my happiness with strings from her merciful heart... to my mother. (Mama and Yama)

To whom he strives to bless comfort and welfare and never stints, what he owns to push me in the success way who taught me to promote life stairs wisely and patiently, to my dearest father.

To whose love flows in my veins and my heart always remembers them, to my brothers and sisters.

(Mustapha, M.ishak, Hadjer, Hibaallah and Halla)

To those who taught us letters of gold and words of jewel of the utmost and sweetest sentences in the whole knowledge. Who reworded to us their knowledge simply and from their thoughts made a lighthouse guides us through the knowledge and success path, To our honored teachers and professors.

To my friends Abdullah, Bachir, Bader, Baki, Belgacem, Bilal ,Chouaib, djaafer, Farouk , Hachimi, Mohammed, Hamza.Z, Hamza.H, Khaled , Maki , Masouad, Nani, Nour eldine, Omer.G, Omer.B, Ridha, Sad, Salem,Taher ,Yacine, Yacine, Zakaria and the list is so long.

With love

TAREK

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ABSTRACT

Ferroresonance is a phenomenon usually initiated by transients in power networks resulting from switching operations or ground faults or others. Nonlinear behavior of the core of a power transformer results in magnetic saturation. Long-lasting ferroresonant state is dangerous to the equipment due to prolonged overvoltage and large overcurrents in MV windings. In this thesis, a ferroresonance solution using Alternating Transient Program, was attempted. The ferroresonant oscillations analyzed result from interaction between the power transformer and a grading capacitance of a circuit breaker. Some practical solutions are suggested and introduced after creating a ferroresonance situation, they had a considerable effect on damping and eliminating the risk of ferroresonance.

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GENERAL INTRODUCTION

GENERAL INTRODUCTION

Power quality and power disturbances have become an important increasing factor throughout electrical networks. Ferroresonance is one of these disturbances that can occur on distribution systems, causing quality and security problems.

Ferroresonance is a non-linear resonance phenomenon that can affect power networks. The abnormal rates of harmonics and transients or steady state overvoltages and overcurrents that it causes are often dangerous for electrical equipment.

The term "Ferroresonance", which appeared in the literature for the first time in 1920, refers to all oscillating phenomena occurring in an electric circuit which must contain at least:

- 1) a non-linear inductance (ferromagnetic and saturable).
- 2) a capacitor.
- 3) a voltage source (generally sinusoidal).
- 4) low losses. [1]

Power networks are made up of a large number of saturable inductances (power transformers, voltage measurement inductive transformers (VT), shunt reactors), as well as capacitors (cables, long lines, capacitor voltage transformers, series or shunt capacitor banks, voltage grading capacitors in circuit-breakers, metalclad substations). They thus present scenarios under which ferroresonance can occur. [1]

The aim of this thesis is to identify ferroresonance and to understand it better, when it is compared to linear LC resonance. Also to describe the effects of ferroresonance on power systems, because they are considered to be catastrophic when they occur, in addition the methods of mitigating them will be discussed.

In order to demonstrate the achievement of the stated aim, we strengthen our study with simulation of one of favorable cases of this phenomenon, which is the interaction between the power transformer and circuit breaker grading capacitor in MV power system, then we try to find some practical solutions.

Chapter 1 Identifying Ferroresonance Compared To Linear Resonance

1.1. Introduction

The trend toward using higher distribution voltages and underground feeders has increased the number of instances in which ferroresonance overvoltage have been reported. [2] The problem of ferroresonance can be categorized as a nonlinear resonance which can cause damage in power distribution and transmission systems. In simple terms, ferroresonance is an LC resonance involving a nonlinear inductance and a capacitance. [3] Ferroresonance can be better understood if it is compared to linear LC resonance.

1.2. Identifying Ferroresonance Compared to Linear Resonance

A typical linear LC resonant circuit consists of an ideal inductor connected in parallel or series with an ideal capacitor. There is no damping in the circuit and the behavior of this LC combination is observed as the frequency of an applied sinusoidal voltage or current is varied. Figure 1.1 shows an example of a series LC circuit with linear elements. In this circuit L is constant and independent of current, regardless of the flux linked λ by the inductor. The relationship between the flux and the current is shown in the Figure 1.2. [3]

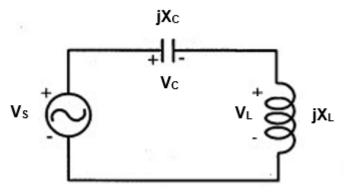


Figure 1.1: Series LC Circuit with Sinusoidal Voltage Source

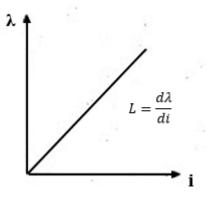


Figure 1.2: λ -i Characteristic for a linear inductor

2

In this circuit, the resonance occurs when the total impedance of the circuit $jX_L - jX_c$ equal to zero. The frequency at which this happens is $\omega_r = \frac{1}{\sqrt{LC}}$. Therefore as ω approaches ω_r , current i approaches ∞ Figure 1.3 shows the frequency response of a linear LC circuit. [3]

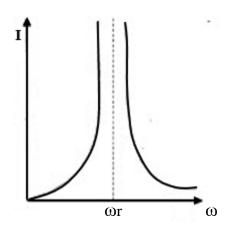


Figure 1.3: Frequency Response of a Linear LC Circuit

If damping is considered as a resistance in parallel with the inductor in the above case, the current will be limited to $i < \infty$ and the resonant frequency will be shifted to a new damped resonant frequency to $\omega = \omega_d$.

In the circuit of figure 1.1, if the linear inductance is replaced with a nonlinear saturable iron core inductor then ferroresonance can occur. A typical λ -i characteristic of such an inductor is shown in figure 1.4 which is typical for a transformer core. [3]

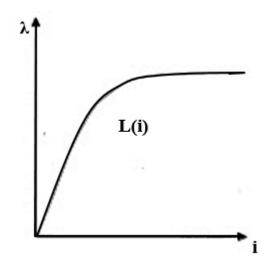


Figure 1.4: λ -i Characteristic for a nonlinear inductance

The circuit with a nonlinear inductance will have a much different type of frequency response. In this case, there is no single resonant frequency, since the frequency response characteristic will be multi-

valued. [3] Figure 1.5 shows the frequency response of a nonlinear LC circuit when there is no damping in the system.

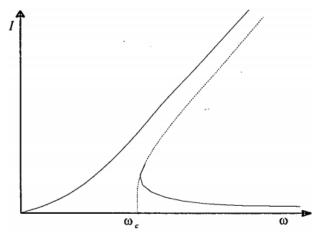


Figure 1.5: Frequency Response of a Nonlinear LC Circuit

- For $\omega > \omega_c$, there may be two stable modes of "Resonance" as well as a third unstable mode.

- For $\omega < \omega_c$ there is only one possible mode of operation.

As ω is decreased and its value passes ω_c , operation can make a sudden change or jump from one stable operating mode to another. This is one of the reasons why this type of behavior is sometimes called jump resonance.

Therefore, jump resonance refers to a condition in a sinusoidally excited system where an incremental change in the frequency of the input to the system or an incremental change in the driving voltage or in the magnitude of one of the parameters of the system causes a sudden jump in signal amplitude somewhere in the system. This jump can be one of voltage, current, flux linkage or all three.

Figure 1.6 shows the jump phenomenon when the amplitude of the excitation is varied slowly. In this diagram the effect of the damping is considered. In this figure, starting from point 1, as V_s , is increased, V_L , slowly increases through point 2 to point 3. As V_s , is increased further, a jump takes place from point 3 to point 4 with an accompanying increase in V_L , after which V_L increases slowly with V_s . If the process is reversed, V_L decreases slowly as V_s , decreases from point 5 to point 6. As V_s , is decreased further, a jump from point 6 to point 2 takes place, with an accompanying decrease in V_L , after which V_L decreases slowly with decreasing V_s , Rudenberg gives a very clear explanation of this jump phenomenon based on a graphical method. [3]

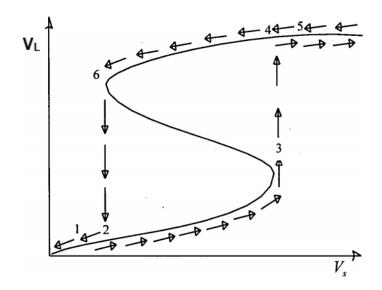


Figure 1.6: Jump phenomena for variation of the amplitude of the excitation

Consider the circuit of Figure 1.7, in which the linear inductance has been replaced with a nonlinear inductor

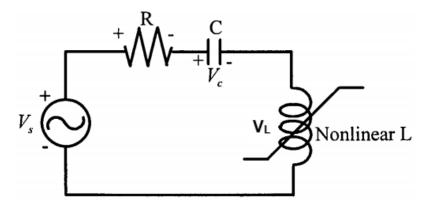


Figure 1.7: Ferroresonant Circuit

When the series resistance is ignored, the sum of the voltages around the only mesh of the circuit can be written as:

$$V_s(t) - V_c(t) - V_L(t) = 0$$
(1.1)

The value of V_c can be replaced by its time-integral expression and V_L as the total derivative of L(i)i(t). Then equation 1.1 can be written as:

$$V_{s}(t) - \frac{1}{c} \int i(t) dt - \frac{d}{dt} [\mathrm{L}(i)\mathrm{i}(t)] = 0 \qquad (1.2)$$

Evaluating equation 1.2 and substituting $q(t) = \int i(t)dt$ will result in:

$$V_{s}(t) - \frac{1}{c}q(t) - L(i)\frac{d^{2}q(t)}{dt^{2}} - \frac{dq(t)}{dt}\frac{dL(i)}{di(t)} = 0$$
(1.3)

From equation 1.3 it is evident that finding a closed-form solution for this nonlinear circuit will be quite difficult. This would be made more evident by adding a source impedance and by providing a complete equivalent of the transformer. Historically, methods of graphical solution represent one of the earliest attempts to explain ferroresonance. The graphical solution for the circuit of Figure 1.7, including the series resistance, can be obtained from two independent relationships for the voltage across the inductance and the capacitance. (Assuming sinusoidal variation of current). The voltage across the capacitance is proportional to the frequency, and the voltage across the capacitance is proportional to the frequency and capacitance.

$$V_{L} = \omega f(i)$$
$$V_{c} = -\frac{I}{\omega c}$$
(1.4)

The total magnitude of voltage for the circuit is:

$$V_s = \sqrt{(V_l + V_c)^2 + (RI)^2}$$
(1.5)

From equations 1.4 and 1.5, the voltage across the nonlinear inductor can be written as:

$$V_L = \sqrt{V_s^2 - (RI)^2} + \frac{I}{\omega c}$$
 (1.6)

The first term in the right-hand side of Equation 1.6 $\sqrt{V_s^2 - (RI)^2}$ represents an ellipse whose main axes have the magnitude of V_s , and $\frac{V_s}{R}$ and the second term is a straight line having slope of $\frac{I}{\omega c}$. Adding these two quantities represents an oblique ellipse, whose intersection with the characteristic of V_L presents the three possible states of the oscillation of the circuit. Figure 1.8 shows the graphical solution for the ferroresonance circuit of Figure 1.7.

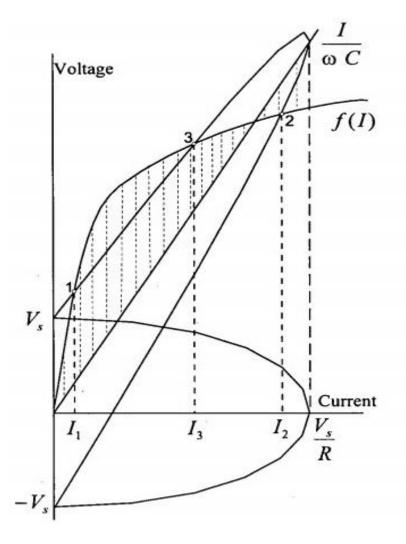


Figure 1.8: Graphical solution of the ferroresonance circuit

Points 1 and 2 in the Figure 1.8 represent the stable solutions, whereas point 3 represents an unstable solution. To show this, rewrite Equation 1.6 as:

$$(\mathrm{IR})^2 = V_s^2 - \left[f(I) - \frac{I}{\omega c}\right]^2$$
 (1.7)

If the quantity $\left[f(I) - \frac{I}{\omega c}\right]$ increases in magnitude with an increase in current, then according to equation 1.7, (RI)² tends to decrease, and this suppresses any further increase in current.

Thus stability is achieved. However, if the quantity $\left[f(I) - \frac{I}{\omega C}\right]$ decreases in magnitude, with an increase of current, the magnitude of (RI)² tends to increase and under this condition, the current continues to increase and the solution is unstable.

The dashed area in the Figure 1.8 shows the variation of the magnitude of $\left[f(I) - \frac{I}{\omega C}\right]$. And point 3 in corresponds to an unstable solution since $\left[f(I) - \frac{I}{\omega C}\right]$ decreases with an increase of current. In the same figure, points 1 and 2 represent the stable solutions. [3]

1.3. Conclusion

Therefore, we can conclude that the ferroresonance is a complex phenomenon in which there are several steady states for a given circuit, the appearance of these states is highly sensitive to system parameters values and the initial conditions. Small variations in a system parameters or a transient may cause a sudden jump between two very different steady states and initiate one of the ferroresonance modes. These modes will be discussed in next chapter with the causes of this phenomenon, and its effects on power system, then how to control it to prevent its happening.

Chapter 2 Understanding Ferroresonance

2.1. Introduction

In the previous chapter, the discriminative difference between the linear resonance and ferroresonance has been described. This chapter introduces types of ferroresonance modes, there are several modes of ferroresonance with varying physical and electrical displays, some have very high voltages and currents while others have voltages close to normal. In addition, it describes the effects of ferroresonance on power systems. Because they are considered to be catastrophic when they occur, finally the methods of mitigating them will be discussed.

2.2. Types of Ferroresonance Modes

All experience of waveforms appearing on power systems, experiments conducted on reduced system models together with numerical simulations, enable classification of ferroresonance states into four different types. This classification corresponds to the steady state condition, i.e. once the transient state is over, as it is difficult for a ferroresonant circuit to distinguish the normal transient state from ferroresonant transient states. However, this in no way implies that transient ferroresonance phenomena do not present a risk for electrical equipment. Dangerous transient overvoltages can occur during several system periods after an event (for example energizing of an unloaded transformer) and persist for several power system cycles. Basically, there are four types of steady-state responses, a ferroresonance circuit can possibly have, they are the fundamental mode, subharmonic mode, quasi-periodic mode and chaotic mode. [1] Each of the classifications and its characteristics are depicted in from Figure 2.1 to Figure 2.4.

The type of ferroresonance can be identified either by the spectrum of the current and voltage signals, or by a stroboscopic image obtained by measuring current I and voltage V at a given point of the system and by plotting in plane v, i the instantaneous values at instants separated by a system period. [1]

2.2.1. Fundamental mode

The periodic response has the same period, T as the power system. The frequency spectrum of the signals consists of fundamental frequency component as the dominant one followed by decreasing contents of 3rd, 5th, 7th and nth odd harmonic. In addition, this type of response can also be identified by using the stroboscopic diagram of Figure 2.1 (c) which is also known as Poincarè plot, which can be obtained by simultaneously sampling of voltage, v and current, i at the fundamental frequency. [4] Figure 2.1 below shows the diagrams to explain fundamental mode.

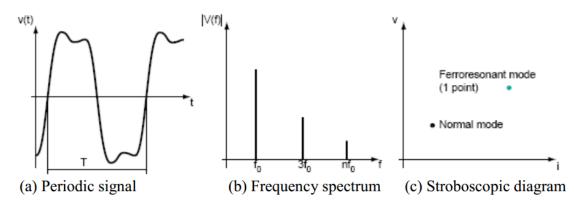


Figure 2.1: Fundamental mode of ferroresonance.

2.2.2. Subharmonic mode

In this type of ferroresonance signals has a period which is multiple of the source period, nT. The fundamental mode of ferroresonance is normally called a Period-1 (i.e. $f_0/1$ Hz) ferroresonance and a ferroresonance with a sub-multiple of the power system frequency is called a Period-n (i.e. f_0/n Hz) ferroresonance. Alternatively, the frequency contents are described having a spectrum of frequencies equal to f_0/n with f_0 denoting the fundamental frequency and n is an integer. With this signal, there are n points exist in the stroboscopic diagram which signifies predominant of fundamental frequency component with decreasing harmonic contents at other frequencies. [4] Figure 2.2 below shows the diagrams to explain Subharmonic mode.

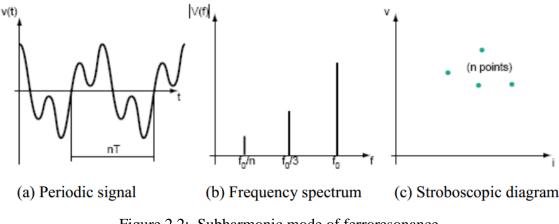


Figure 2.2: Subharmonic mode of ferroresonance.

2.2.3. Quasi-periodic mode

This kind of signal is not periodic. The frequency contents in the signal are discontinuous in the frequency spectrum, whose frequencies are defined as: nf1+mf2 (where n and m are integers and f1/f2 an irrational real number). This type of response displays a feature employing a close cycle of dotted points on the stroboscopic plot.

CHAPTER 02

The set of points (closed curve) in the diagram is called an attractor to which all close by orbits will asympotate as $t\rightarrow\infty$, that is, in the steady state. [5] Figure 2.3 below shows the diagrams to explain Quasi-periodic mode.

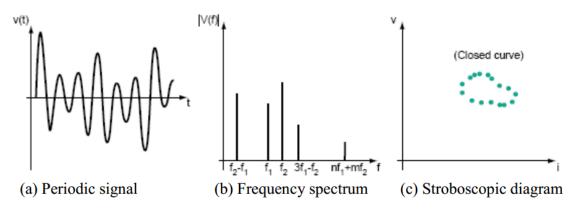


Figure 2.3: Quasi-periodic mode of ferroresonance.

2.2.4. Chaotic mode

This mode has a signal exhibiting non-periodic with a continuous frequency spectrum i.e. it is not cancelled for any frequency. The stroboscopic plot consists of n points surrounding an area known as the strange attractor which appears to skip around randomly. [4] Figure 2.4 below shows the diagrams to explain Chaotic mode.

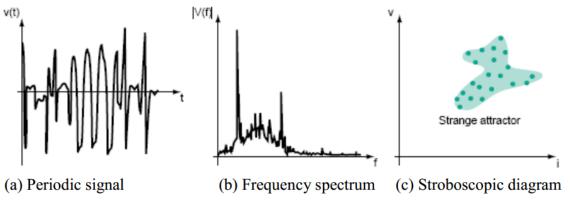


Figure 2.4: Chaotic mode of ferroresonance.

2.3. Causes and Effects of Ferroresonance on Power Systems

In the preceding section, the characteristics and features of each of the four distinctive ferroresonance modes have been highlighted. In this section we will focus firstly on causes of ferroresonance which are many but they can be generalized as below:

- Transients.
- Phase-to-ground , phase-to-phase faults.
- Circuit breaker opening and closing.
- Transformer energizing and de-energizing.

The main cause of ferroresonance cannot be known beforehand and it is generally found out by analyzing events in the power system prior to ferroresonant oscillations. [1] In addition, ferroresonance can cause undesirable effects on power system components which will be discussed.

2.3.1. Systems Vulnerable to Ferroresonance

In the modern power systems, there are many sources of capacitances, nonlinear inductances and wide range of operating setups. Configurations that may allow ferroresonance to happen are endless. But there are some typical configurations that may lead to ferroresonance. [1]

2.3.1.1. Voltage Transformer Energized Through Grading Capacitance

Switching operations may cause ferroresonance in voltage transformers which are connected between phases and ground. A sample case is illustrated in figure 2.5; Opening of circuit breaker D started ferroresonance by causing capacitance C (all the capacitances to ground) to discharge through voltage transformer. Through grading capacitance C_d, source delivers enough energy to maintain oscillation. [1]

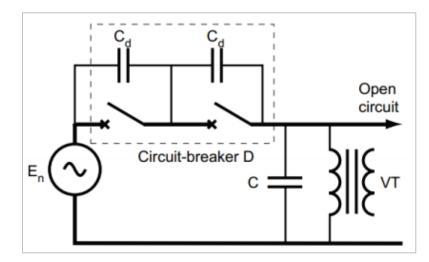
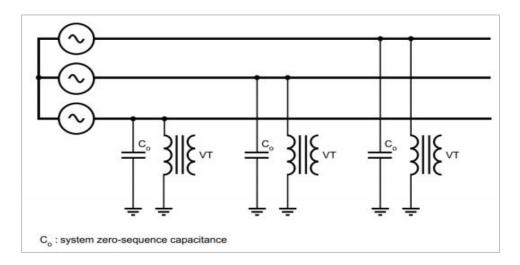
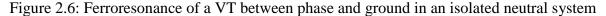


Figure 2.5: Ferroresonance of a voltage transformer connected in series with an open circuit breaker

2.3.1.2. Voltage Transformers Connected to an Isolated Neutral System

Transients due to switching operations or ground faults may start ferroresonance by saturating iron core of voltage transformers shown in figure 2.6. This grounding system can be chosen on purpose or the system can become neutral isolated from a loss of system grounding due to different reasons. A system operator may think there is a phase-to-ground fault in the system because of neutral point displacement and potential rise respect to ground on one or two phases. [1]





2.3.1.3. Voltage Transformers and HV/MV Transformers with Isolated Neutral

There is possibility of ferroresonance when HV and MV neutrals are ungrounded. When a ground fault happens in HV side, high potential is obtained at HV neutral point. With the help of capacitive effect between primary and secondary, over-voltages appears on MV side. [1] Conditions for ferroresonance is formed with voltage source E_0 , capacitances Ce and C_0 and magnetizing inductance of a voltage transformer in figure 2.7 and figure 2.8.

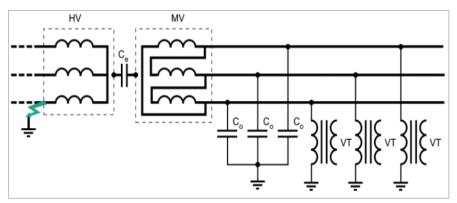


Figure 2.7: Faulty system

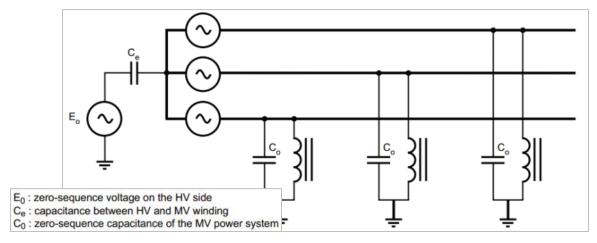


Figure 2.8: Ferro-resonance of voltage transformer between phase and ground with ungrounded/isolated neutral

2.3.1.4. Transformer Supplied by a Highly Capacitive Power System with Low Short-Circuit Power

As shown in figure 2.9 when an unloaded power transformer is connected to a relatively low shortcircuit power source through underground cable or long overhead line, ferroresonance may happen. [1]

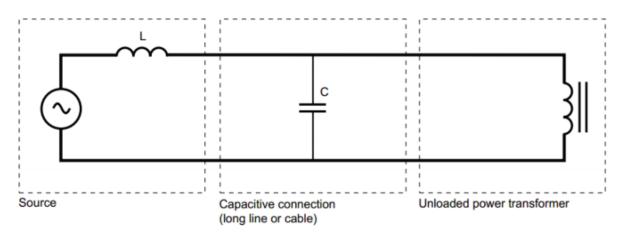


Figure 2.9: Power transformer supplied by capacitive system

With the experience from the past, it is concluded that system with features below are in danger of ferroresonance [1];

- Voltage transformer connected between phase and ground on an isolated neutral system
- Transformer fed through capacitive lines
- Non-multi pole breaking
- Unloaded or lightly loaded voltage transformers

2.3.1.5. Transformer Accidentally Energized in Only One or Two Phases

These setups can happen when one or two of the source phases are disconnected while the transformer is lightly loaded. System capacitances in figure 2.10 may consist of underground cables or overhead lines. Primary of the transformers can be delta connected or wye connected with isolated or grounded neutral. Because of switching operations, ferroresonant configurations are formed. Factors that are relevant is given below [1];

- Phase-to-phase and phase-to-ground capacitances
- Primary and secondary windings connections
- Voltage source grounding

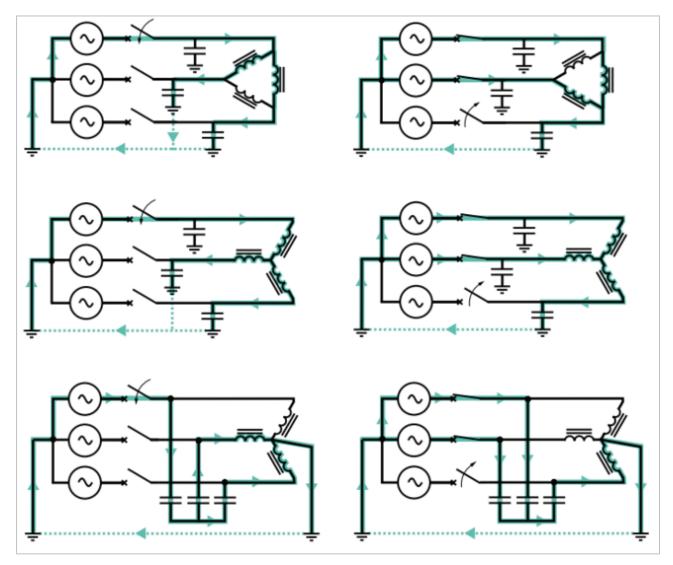


Figure 2.10: Examples of unbalanced systems

2.3.1.6. Powersystem grounded through a reactor

In LV systems, Permanent Insulation Monitors (PIMs) are used to measure insulation impedance by injecting direct current between system and ground. Their impedance is inductive and it may contribute to ferroresonance oscillations. Any potential rise in neutral point may cause ferroresonance between inductance of PIM and capacitances of the system. [1]

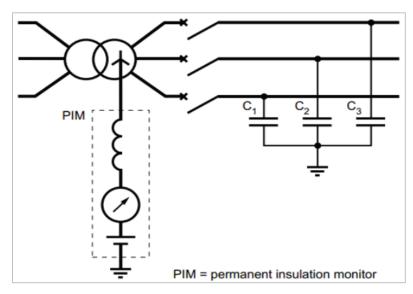


Figure 2.11: PIM inductance between neutral and ground

In MV systems, a coil of inductance L is used between MV neutral of a HV/MV transformer and ground to limit ground fault currents. Excitation of ferroresonance of the circuit consisting inductance L and zero-sequence capacitances may happen because of natural dissymmetry of transformer and capacitances shown in figure 2.12. [1]

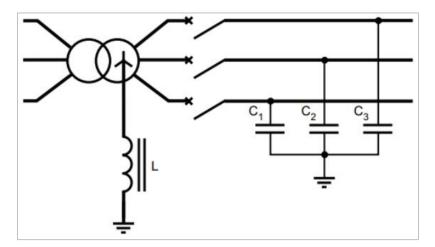


Figure 2.12: Resonant grounding system

2.3.2. Effects of Ferroresonance on Power Systems

As it may be seen hereinafter, due to the different factors involved in the ferroresonance phenomenon, when it occurs the situation can be rather disconcerting. That is why it is so important to identify the most common symptoms of a ferroresonance situation which are summarized as follows:

- High permanent over voltages of differential mode (phase-to-phase).
- High permanent over currents.
- High permanent distortions of voltage and current waveforms.
- Displacement of the neutral point voltage.
- Transformer heating.
- Loud noise in transformers and reactances.
- Damage of electrical equipments (capacitor banks, voltage transformers etc...).
- Untimely tripping of protection devices.

Some of the effects are not only special to ferroresonance; an initial analysis can be done by looking at voltage waveforms. If it is not possible to obtain recordings or if there are possible interpretations for effects, not only system configuration should be checked but also events prior to ferroresonance. Following step is to determine if three conditions are met in order ferroresonance to happen;

- Co-existence of capacitances and non-linear inductances
- Existence of a point whose potential is not fixed (isolated neutral, single phase switching)
- Lightly loaded system (unloaded power or voltage transformers)

If any of these conditions are not met, ferroresonance is said to be very unlikely [1].

In reference [6], ferroresonance occurred because of switching operations during commissioning new 400-kV substation where grading capacitance of a circuit breaker involved. It is reported that two voltage transformers are driven into sustained ferroresonance state. Ferroresonance experienced in Station Service Transformer during switching operations by firstly opening the circuit breaker and then the disconnecter switch located at the riser pole surge arrester [7]. Oscillations caused explosion of surge arrester.

In reference [8], explosion of a voltage transformer is reported. One of the buses was removed because of installing of new circuit breaker and current transformer, at the same time maintenance and line trip testing were conducted. Voltage transformers on the de-energized bus were energized by near on-operation bus bar through grading capacitors.

2.4. Controlling Ferroresonance

According to CIGRE technical brochure no. 569, mitigation techniques applicable to the power transformer are grouped into three basic approaches [18]:

- Avoid circuit parameters or operating conditions favouring ferroresonance
- Minimize the energy transfer that is required to sustain the ferroresonant oscillations
- Control the duration of ferroresonance by the operational switching

Based on these approaches, four kinds of the mitigation techniques are derived as follows:

- (a) An increase of the capacity of shunt capacitance at the transformer primary side.
- (b) An insertion of the capacitor bank at the transformer secondary side.
- (c) An installation of the resistive load bank at the transformer secondary side.
- (d) A change of the transformer saturation characteristics with the low flux density.

International standards state that resonance over voltages should be prevented or limited, those voltage values cannot be taken basis for insulation design. So in theory, current design of insulations and surge arresters do not provide protection against ferroresonance [9].

There are some researches on dynamical damping of ferroresonance, prototypes are introduced [10], [11] but the most common used practice is static damping with damping resistors.

In case of power transformers whose are fed through capacitive lines, the best solution proposed is avoiding risky situations when active power delivery is less than 10% of the transformer rated power [1]

For configurations in figure 2.10, following practical solutions are advised [1];

- Lowering capacitance between circuit breaker and transformer
- Avoiding use of transformers at 10% of its rated capacity
- Avoiding no-load energizing
- Prohibiting single-phase operations

For MV power systems grounded through a reactor figure 2.12, overcompensation of power frequency capacitance component of the ground fault current can be done or a resistive component to increase losses can also be added [1].

2.4.1. Damping Ferroresonance in Voltage Transformers

As mentioned before, voltage transformers connected between phase and ground in neutral isolated systems is dangerous for ferroresonance oscillations to happen. It is advised that avoid wye-connections of voltage transformer primaries with grounded neutral by leaving neutral of primaries ungrounded or using delta connection instead [12], [13]. If wye-connection for primaries is used, only way left to damp a possible oscillation is to introduce load resistances.

2.4.1.1. Voltage Transformers with one Secondary Winding

Even though resistors will consume power during operation, damping resistors are used to damp possible ferroresonant oscillations in figure 2.13. Recommended minimum values of resistance R and power rating of resistor P_R are calculated with rated values of transformer in (2.1) and (2.2) [13], [1].

$$R = \frac{U_s^2}{k P_t - P_m}$$
(2.1)
$$P_R = \frac{U_s^2}{R}$$
(2.2)

where; Us: rated secondary voltage (V)

k: factor between 0.25 and 1 regarding errors and service conditions

Pt: voltage transformer's rated output (VA)

Pm: power required for measurement (VA)

2.4.1.2. Voltage Transformers with two Secondary Windings

There is also an option to have two secondaries in voltage transformers. One is for measurement and second one is especially for damping (tertiary winding). The advantage to have damping resistors in the open delta connected secondary winding is that it is only active during unbalanced operation. During the balanced operation no current circulates in open delta. Recommended minimum values of resistance R and power rating of resistor P_R are calculated with rated values of transformer in (2.3) and (2.4) [13], [1].

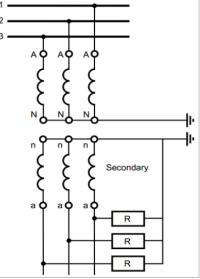


Figure 2.13: Damping for voltage transformer with one secondary.

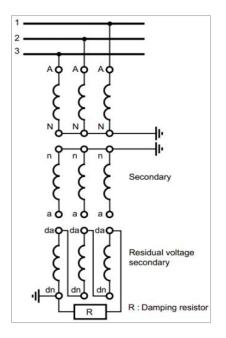


Figure 2.14: Damping for voltage transformer with two secondaries.

$$R = \frac{3\sqrt{3} U_{S}^{2}}{P_{e}}$$
(2.3)
$$P_{R} = \frac{(3U_{S})^{2}}{R}$$
(2.4)

where; Us: rated voltage of the tertiary winding (V)

Pe: rated thermal burden of tertiary winding (VA) is the apparent power than voltage transformer can supply without exceeding thermal constraints.

2.4.2. Limiting the cable length switched

Limiting the cable length to be less than the length established by the Baitch Ferroresonance Critical Cable Length will limit the overvoltage that may occur to $(1 + \sqrt{3})$ times phase-to-earth voltage. The effect of iron losses will tend to result in the overvoltage being less that $(1 + \sqrt{3})$ times phase-to-earth voltage.

There are some issues on ferroresonance as follows:

- Isolating a power transformer from the grid during ferroresonance oscillations using a disconnector between the transformer and the circuit breaker
- Effectiveness of surge arresters for the actual ferroresonance.
- Varying residual flux of the iron core in a power transformer

2.5 conclusion

At the end of this chapter, the appearance of various types of ferroresonance oscillations in a power system was presented. Then we have discussed some typical configurations that may lead to destructive effects that make us care about it and looking hardly for controlling it. In the next chapter we will analyze and make simulation to the first vulnerable configuration to this phenomenon in section **2.3.1.1** using ATP program trying to damp it.

Chapter 3 Simulation results

3.1. Introduction

In practice the ferroresonant oscillations may be initiated by momentary saturation the core of the inductive element resulting from e.g. switching operation or other type of event resulting in a transient overvoltage in the system. The undamped ferroresonant oscillations in power system are dangerous to the equipment installed due to large overcurrents and/or overvoltages which may ultimately lead to permanent equipment damage. [14]

In this chapter numerical simulations of the ferroresonance phenomenon in the MV inductive voltage transformer are presented. The ferroresonant oscillations analyzed result from interaction between the voltage transformer and a grading capacitance of a circuit breaker. [14] our simulation will be analyzed on electrical power network of Haoud Berkaoui using Alternative Transient Program.

3.2. The electrical power network of Haoud Berkaoui

The region of Haoud Berkaoui represents one of ten principles hydrocarbons productive zones of Algerian desert. It is situated at 35 Km to south west of Wilaya of Ouregla. Figure 3.1 shows the geographic location of Haoud Berkaoui. [15]

The electrical power network implemented by Schneider Electric as part of the electrification project of Haoud Berkaoui is composed of three high-voltage substations. Which are located in Guellala, Hauod Berkaoui and Benkahla; they are powered by 60kV from the Algerian national electricity company Sonelgaz. Each substation is composed of control buildings, premises and equipment home building separate GIS and thus protecting the metal-clad high-voltage SF6. The transformers are located outside

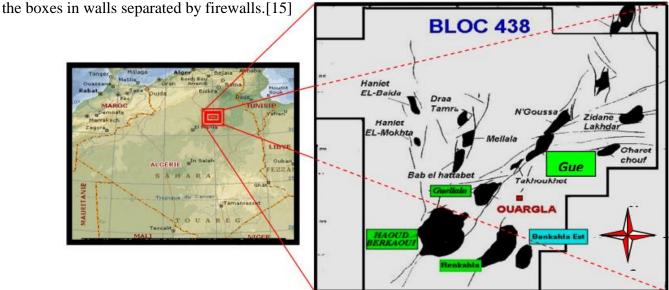


Figure 3.1: the geographic location of Haoud Berkaoui.

3.3. Highlights about Alternative Transient Program

Transient analysis of electrical circuits is as important as steady-state analysis. When transients occur, the currents and voltages in some parts of the circuit may many times exceed those that exist in normal behavior and may destroy the circuit equipment in its proper operation. A number of simulation tools have been developed in the last few years, especially for steady state simulations. Few programs are able to accurately determine the response of a system to a transient; one of these programs is ATP. [16]

3.3.1. What is ATP ?

ATP is a universal program system for digital simulation of transient phenomena of electromagnetic as well as electromechanical nature. With this digital program, complex networks and control systems of arbitrary structure can be simulated. ATP has extensive modelling capabilities and additional important features besides the computation of transients. It has been continuously developed through international contributions. ATP was formed after a disagreement over commercialization in 1984 and has been continuously developed by both Drs. W.Scott Meyer and Tsu-huei Liu. [17]

ATP program calculates variables of interest within electric power systems as functions of 3 to solve the differential equations of system components in the time domain. Non-zero initial conditions can be determined either automatically b y a steady state, phasor solution or they can be entered by the user for some components.

ATP has many models including rotating machines, transformers, surge arresters, transmission lines and cables. With this digital program, complex networks of arbitrary structure can be simulated. Analysis of control systems, power electronics equipment and components with nonlinear characteristics such as arcs and corona are also possible. Symmetric or asymmetric disturbances are allowed, such as faults, lightning surges, or any kind of switching operations including commutation of valves. Calculation of the frequency response of phasor networks is also supported. [17]

3.3.2. ATPDraw

ATPDraw is a graphical, mouse- driven preprocessor to ATP. It helps creating and editing the model of the electrical circuit the user wants to simulate interactively. In the program the user can construct an electric circuit, by selecting predefined components from an extensive library. The preprocessor then creates the corresponding ATP input file, automatically in correct format.

ATPDraw has a standard Windows user interface. Figure 3.2 shows the main window of ATPDraw containing two open circuit windows. ATPDraw supports multiple documents and offers the user to work on several circuits simultaneously along with the facility to copy information between the circuits. The size of the circuit window is much larger than the actual screen, as is indicated by the scroll bars of each circuit window. [17]

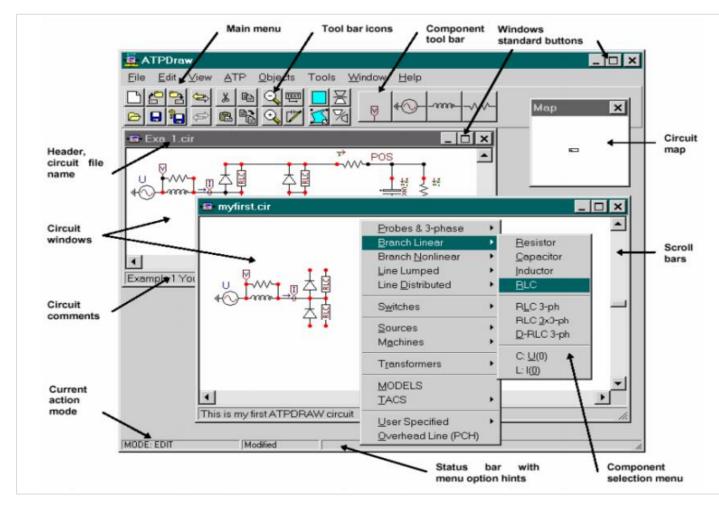


Figure 3.2: Main Window Multiple Circuit windows and the floating Selection menu.

3.4. The real electrical circuit of Haoud Berkaoui

3.4.1. Description of the circuit

Figure 3.3 shows the single line diagram of Haoud Berkaoui. It is formed by a generator as source followed by transmission line connected to two big transformers in parallel, there are two transformers 30/5.5 KV with rated power 6300 KVA each, both connected to 5.5KV bas bare. This bas bare feeds:

- Two motors of the compressors of rated power 2060 KW for each one.
- Two transformers 5.5/0.4 KV of rated power 500 KVA used for lightning, motors, air conditioning, 220 volts sources.

- One motor feeds pump Security 315KW.
- Water injection unit which feeds three electro-pumps of rated power 560 KW. [15]

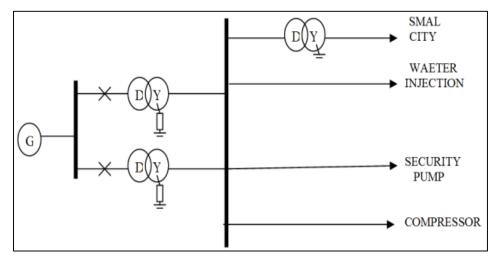


Figure 3.3: The one line diagram representation.

3.4.2. The characteristics of the equipment used in the Substation:

All important parameters which have been taken even from the station or from the Web site of the companies that have made those instruments are listed below:

***** Two transformer TR1 and TR2 (MV):

- Rated power: 6300 KVA	Primary voltage: 30000 V	- Secondary voltage: 5750 V
- Primary current: 121,24 A	- Secondary current: 632,57 A	
✤ A Transformers TR3 (LV):		
- Rated power: 250 KVA	- Primary volta	ge: 5500 V
- Secondary voltage: 400 V	- Primary current: 24 A	
- Secondary current: 358.9 A		
Three motors feed three pumps for water injunction:		
- Number of phases: Three	- Rated power: 560 KW	- Voltage: 5500 V
- Current: 69,5 A	- Frequency: 50 Hz	- Cos Φ: 0,88
- Rotation speed: 1494 rev/min	-Weight: 4600 Kg	-Type of connection: Star
Two motors feed two compressors:		
- Number of phases: Three	- Rated power: 2060 KW	- Voltage: 5500 V
- Current: 242,7 A	- Frequency: 50 Hz	- Cos Φ: 0,93
- Rotation Speed: 2986 rev/min	-Weight: 8400 Kg	-Type of connection: Star

- The efficiency: 97.0%

***** One motor feeds a security pump:

- The rated power: 114.55 VA

- Number of phases: Three	- Rated power: 315 KW	- Voltage: 5500 V
- Current: 40,6 A	- Frequency: 50 Hz	- Cos Φ: 0,86
- Speed of rotation: 1488 rev/min	- Weight: 2420 Kg	- Type of connection: Star
✤ The consumption parameters of the consumptis parameters of the consumption parameters of t	he city (RLC):	
- The real power: 103.09 KW	- The reactive power: 49.93 VAR	

- Power factor: 90.0%

3.4.3. ATP simulation results

In our simulation, ATPDraw software has been used to draw the circuit which is shown in figure 3.4. Synchronous machine has been represented as source of 30KV, the two transformers are 30/5.5KV, the small transformers are 5.5/0.4KV, the induction motor of 0.4KV and the loads are the RL equivalent circuit of the used light, pumps water injection...etc. The detailed elements of the ATPDraw circuit are given in the appendix.

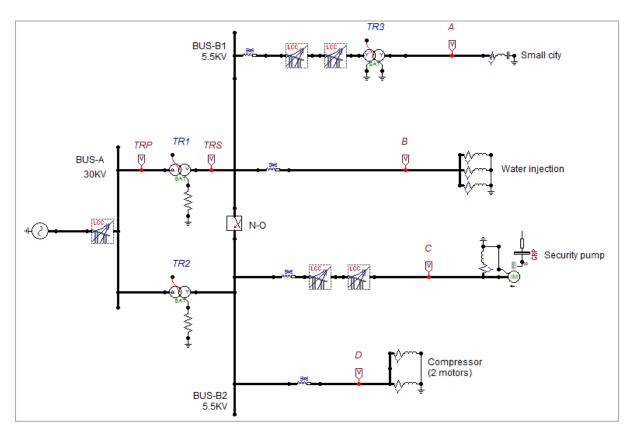
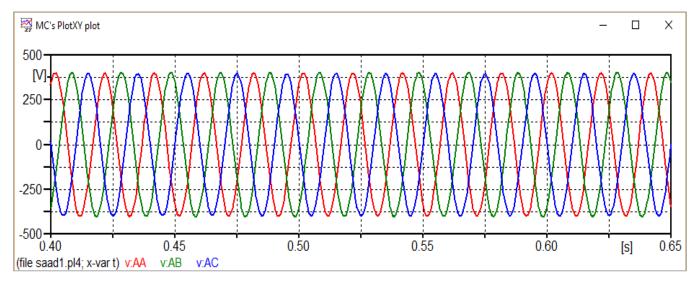


Figure 3.4: ATPDraw representation of the circuit of Haoud Berkaoui station.

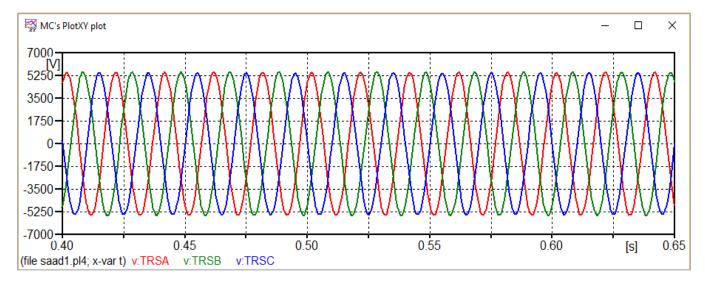
Figures 3.5 and 3.6 below show the steady state of the network, after checking the voltage waveform at points TRS, A, B, C and D for the loads.



The simulation result at point A:

Figure 3.5: The values of voltages at the point A.

Where the peak values of the three phases (A, B and C) at point A are: $V_A = 380$ V



> The simulation result at points TRS, B, C and D:

Figure 3.6: The values of voltages at the point TRS, B, C and D.

Where the peak values of the three phases (A, B and C) are: $V_{TRS} = V_B = V_C = V_D = 5.5 \text{KV}$

3.5. The Case study

Switching operations may cause ferroresonance in voltage transformers which are connected between phases and ground. A sample case of voltage transformer energized and de-energized through Grading capacitance of circuit breaker is illustrated in Figure 3.7.

Opening of circuit breaker D starts ferroresonance by causing capacitance C (all the capacitances to ground) to discharge through voltage transformer. Through grading capacitance Cd, source delivers enough energy to maintain oscillation.

Following is the circuit equipment condition:

- i. Before switching (Transformer energized)
 - Circuit breaker was close.
- ii. After switching (Transformer de-energized)
 - Circuit breaker was open.

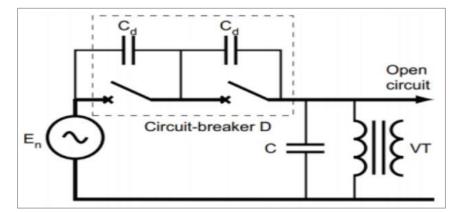


Figure 3.7: Voltage transformer connected in series with an open circuit breaker.

3.5.1 - The effect of changing grading capacitor (Cg):

In order to see the effect of the circuit breaker grading capacitance values on the occurrence of ferroresonance we have connected a circuit breaker consisting of its grading capacitance (Cg) at the primary side of the big transformers as shown in the gray area in Figure 3.8.

The commissioning of the system of Figure 3.8 was conducted as follows: the energization of the VT's from the 30 kV busbar when the circuit breaker (CB) were close and then de-energized the VT's by opening the circuit breaker (CB). The effect after the switching events has thus reconfigured the circuit into ferroresonance condition involving the interaction between the circuit breaker's grading capacitor and the transformers.

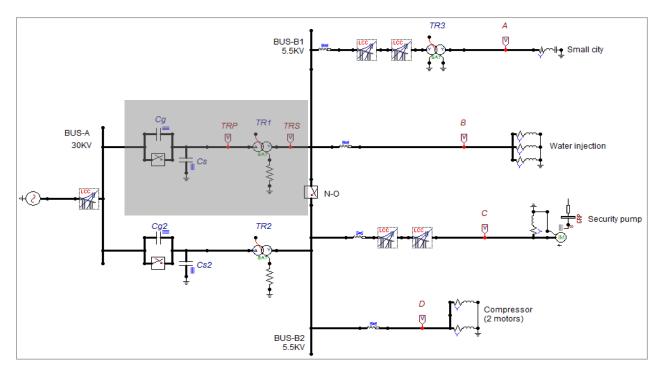


Figure 3.8: The ATP model circuit used for simulation

- Simulation results:

In order to look into the effect of grading capacitance on ferroresonance, let us look at a wider view by having the grading capacitance (Cg) varied. We assume also the variation of the coming voltage from the generation station, the network voltage values for which the ferroresonance risk will verified are: 80%, 100% and 120% of the rated voltage Vs (30Kv). The ferroresonant response was verified for opening the switch parallel to the Cg at the t= 0.5 s.

The voltage waveforms across the transformer TR1 (MV power transformer) with network voltage 100% Vs = 30 Kv are recorded as shown below:

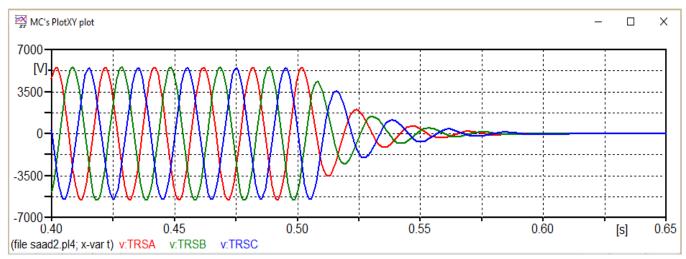


Figure 3.9: The voltages at point TRS with Cg= 1nF and 100% Vs

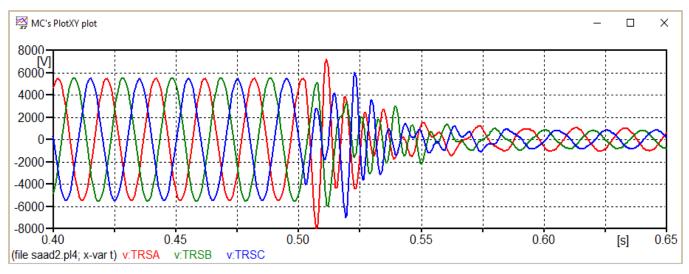


Figure 3.10: The voltages at point TRS with Cg= 600nF and 100% Vs

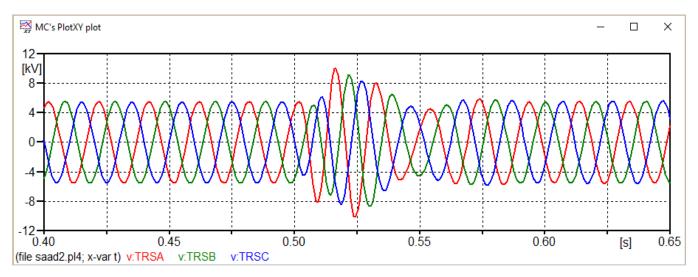


Figure 3.11: The voltages at point TRS with $Cg=2\mu F$ and 100% Vs

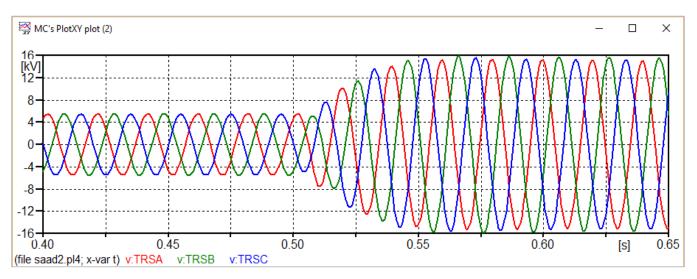


Figure 3.12: The voltages at point TRS with Cg= 5μ F and 100% Vs

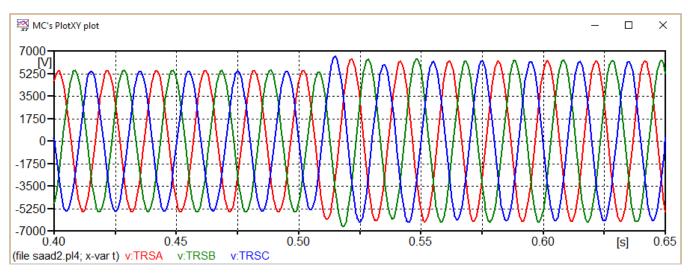


Figure 3.13: The voltages at point TRS with $Cg=30\mu F$ and 100% Vs.

Comments: In all the above waveforms. It could be seen that for Vs values of 100%, the ferroresonance may exist for $Cg = 0.6\mu$ F and above until the value $Cg = 30\mu$ F, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

Now we vary the network voltage down to 80% Vs = 24 Kv, then we record the voltage waveforms across the transformer TR1 as shown below:

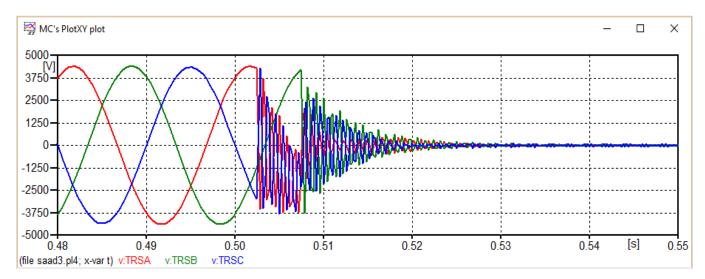


Figure 3.14: The voltages at point TRS with Cg= 1nF and 80% Vs.

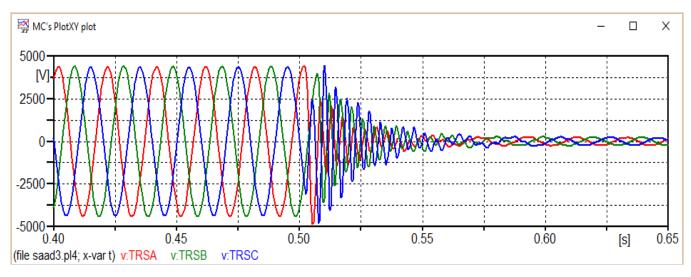


Figure 3.15: The voltages at point TRS with Cg= 600nF and 80% Vs.

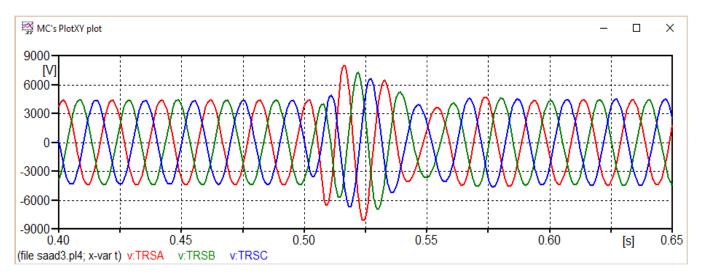
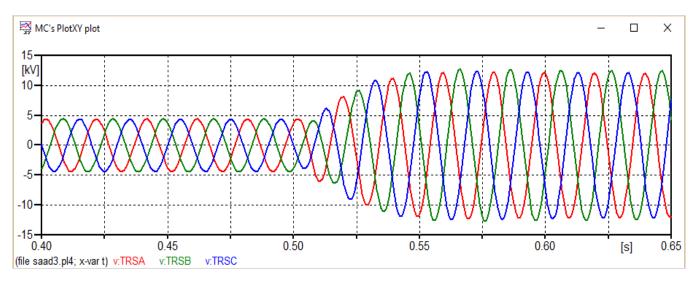
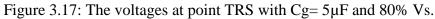


Figure 3.16: The voltages at point TRS with $Cg=2\mu F$ and 80% Vs.





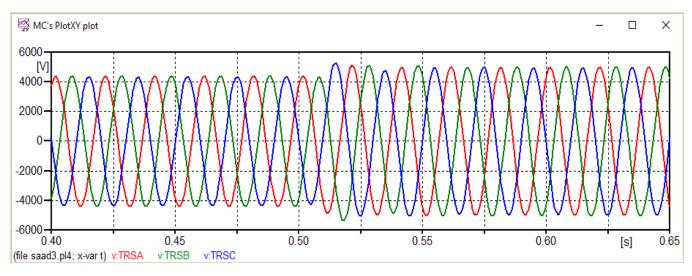


Figure 3.18: The voltages at point TRS with $Cg=30\mu F$ and 80% Vs.

Comments: In the above waveforms from figure 3-14 to 3-18. It could be seen that for Vs values of 80%, the ferroresonance doesn't exist for $Cg = 0.6\mu F$ as it is for Vs values of 100%, it exists for $Cg = 2\mu F$ and above until the value $Cg = 30\mu F$, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

Now we vary the network voltage up to 120% Vs = 36 Kv, then we record the voltage waveforms across the transformer TR1 as shown below:

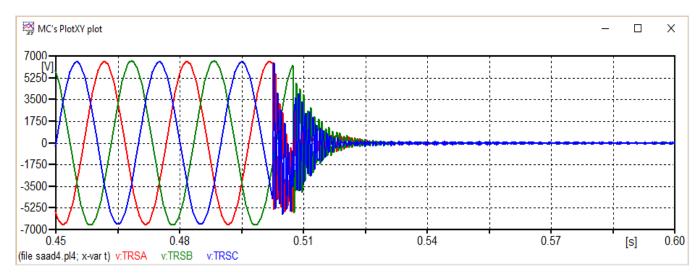
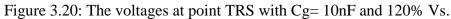


Figure 3.19: The voltages at point TRS with Cg= 1nF and 120% Vs.





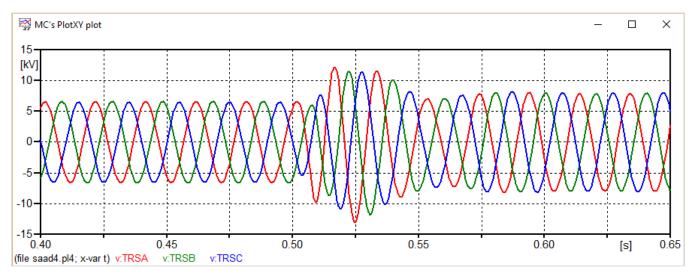


Figure 3.21: The voltages at point TRS with $Cg=2\mu F$ and 120% Vs.

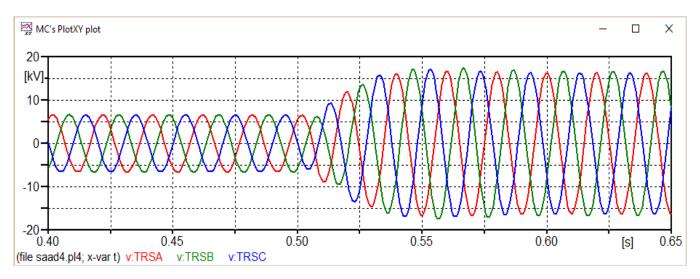


Figure 3.22: The voltages at point TRS with $Cg=5\mu F$ and 120% Vs.

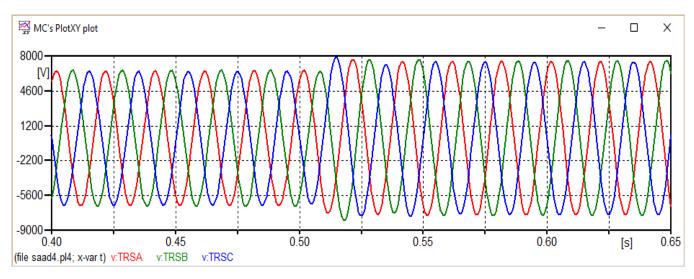


Figure 3.23: The voltages at point TRS with Cg= 30μ F and 120% Vs.

Comments: In the above waveforms from figure 3-19 to 3-23. It could be seen that for the extreme value of Vs = 120% however, a potential risk of ferroresonance was identified for Cg = 10nf and above, until the value Cg = 50μ F, it will appear overvoltage start to be less and extremely equal to the secondary voltage of TR1.

After performing all the simulations to identify the ferroresonant combination of Vs and Cg values. This ferroresonant region is clearly shown in Table 1 below, summarizing the results of the peak value of overvoltage.

	80% Vs	100% Vs	120% Vs
1nF	NO (0 pu)	NO (0 pu)	NO (0 pu)
10nF	NO (0 pu)	NO (0 pu)	YES (1.3 pu)
600nF	NO (0 pu)	YES (1.5 pu)	YES (1.6 pu)
2μF	YES (1.8 pu)	YES (2 pu)	YES (2.1 pu)
2.5µF	YES (2.1 pu)	YES (2.3 pu)	YES (2.5 pu)
5μF	YES (2.85 pu)	YES (2.9 pu)	YES (3.1 pu)
10µF	YES (2.1 pu)	YES (2.2 pu)	YES (2.3 pu)
15µF	YES (1.35 pu)	YES (1.4 pu)	YES (1.6 pu)
30µF	NO (1.2 pu)	NO (1.25 pu)	YES (1.4 pu)
50µF	NO (1 pu)	NO (1 pu)	NO (1.2 pu)

Table 3.1: Ferroresonance simulations results summary of maximum overvoltage for Cg.



We have plotted the corresponding graph of this table:

Figure 3.24: The effect of the grading Capacitance on ferroresonance.

General comments:

Finally, we conclude that the best values of grading capacitor which insure a high speed switching for the circuit breaker are: C < 1nF for the three cases of Vs

Also the interval of grading capacitance which causes overvoltage more than 1.5 per unit:

$2\mu F < C < 10\mu F$

The Figure 3.24 referred that for values greater than $15 \,\mu F$ it will appear overvoltage start to be less and less because the resistance of the capacitor was being smaller every time which damp out the extra power of the system.

Varying the value of the source voltage has its effect on ferroresonance especially at the small values of Cg as shown above in the red region (Figure 3.24) and table 3.1, which in the case of 80% Vs the risk

of ferroresonance is suppressed at Cg = 600nf, unlike what exist in the other cases. Also the opposite in the case of 120% Vs, which the risk of ferroresonance extended to Cg = 10nf.

3.6. Practical solution

3.6.1. Increasing the value of shunt capacitance at the transformer primary side

As mentioned in section 2.4, increasing the capacity of shunt capacitance at the transformer primary side is one of the ferroresonance mitigation techniques.

In order to confirm its effectiveness, we create a ferroresonance situation at it is optimum, by fixing the value of grading capacitor $Cg = 5\mu F$ as we see in figure 3.12, then we try to change the value of the shunt capacitor Cs at the transformer primary side. The simulation results are summarized in Table 3.2, and Figures 3.26, 3.27 and 3.28 show voltage waveforms at transformer secondary side for case 1 with ferroresonance, the threshold in case 3 and its elimination in case 5.

Industry analysts have empirically assumed that when the voltage exceeds 1.25 pu, the system is said to be "in ferroresonance" [19].

Cases	Capacitor (µF)	Maximum overvoltage (pu)	state
1	0.5	2.4	In ferroresonance
2	2.5	1.3	In ferroresonance
3	2.7	1.25	Threshold
4	3	1.15	Non ferroresonance
5	5	0.8	Non ferroresonance

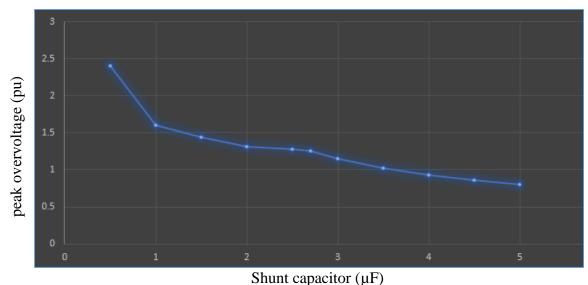
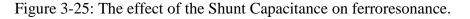
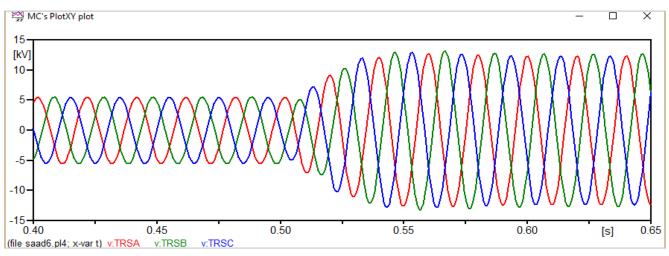
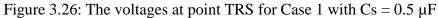


Table 3.2: Simulation results of maximum overvoltage for shunt capacitors.







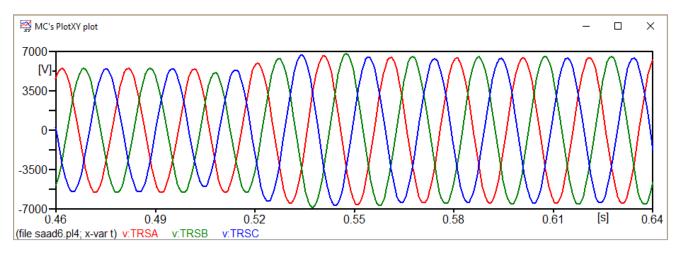


Figure 3.27: The voltages at point TRS for case 3 with Cs = 2.7 μ F

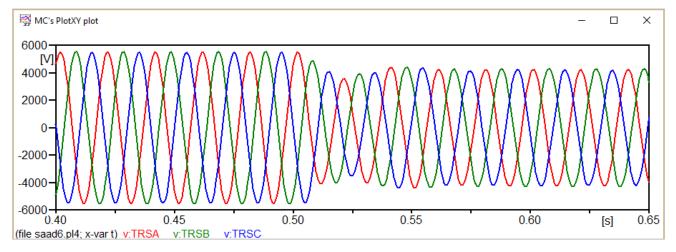


Figure 3.28: The voltages at point TRS for Case 5 with $Cs = 5 \ \mu F$

Comments:

According to industry analysts, we see from the table 3.2 and figure 3.25 above that the value of $Cs = 2.7 \ \mu F$ is the threshold value, and ferroresonance can be avoided by installing the shunt capacitor $Cs \ge 2.7 \ \mu F$ in this study case. But in the case of $Cs < 2.7 \ \mu F$ the ferroresonance is reduced slowly when Cs increased from small values until 2.7 μF .

The increasing at the value of shunt capacitance connected in the transformer primary side is very effective to reduce the risk of ferroresonance. Despite the high cost of implementation, it is one of the best solutions if the transformer secondary side is not accessible.

3.6.2. Installing a capacitor bank at the transformer secondary side

The second solution is to install the capacitor bank to suppress ferroresonance. As many papers and technical reports propose the insertion of the capacitor bank at the delta connected tertiary winding [20]. This can only be applicable to the power transformers with tertiary winding terminals. It is considered that the capacitor bank Cb is located at the transformer secondary side in the study because the transformer applied to this study does not have tertiary winding as shown in gray region in figure 3.29.

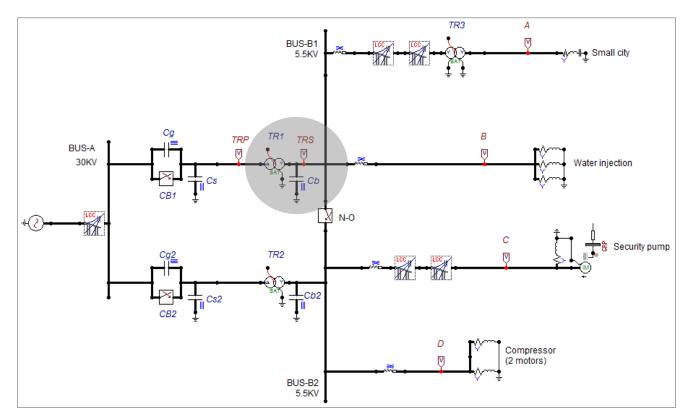
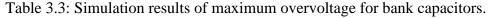


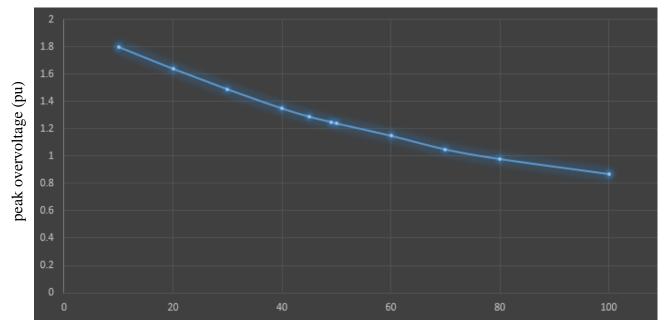
Figure 3.29: Capacitor bank at the transformer TR1 secondary side.

CHAPTER 03

In order to confirm its effectiveness, we create a ferroresonance situation at it is optimum, by fixing the value of grading capacitor $Cg = 5\mu F$ as we see in figure 3.12, then we try to change the value of the bank capacitor Cb at the transformer secondary side (see figure 3-29). The simulation results are summarized in Table 3.3, and Figures 3.31,3.32 and 3.33 show voltage waveforms at transformer secondary side for case 1 with ferroresonance, the threshold in case 4 and its elimination in case 7.

Cases	Capacitor (µF)	Maximum overvoltage (pu)	state
1	10	1.8	In ferroresonance
2	40	1.35	In ferroresonance
3	45	1.29	In ferroresonance
4	49	1.25	Threshold
5	50	1.24	Non ferroresonance
6	60	1.15	Non ferroresonance
7	100	0.87	Non ferroresonance





Bank capacitor (µF)

Figure 3.30: The effect of the Bank Capacitance on ferroresonance.

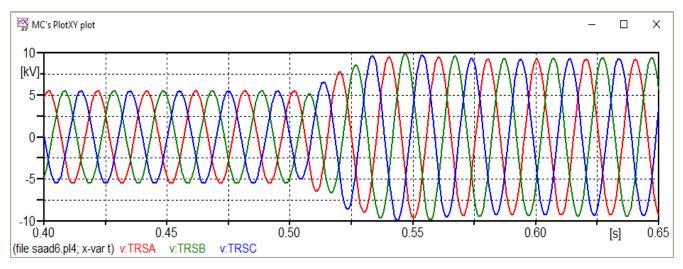


Figure 3.31: The voltages at point TRS for Case 1 with $Cb = 10 \ \mu F$

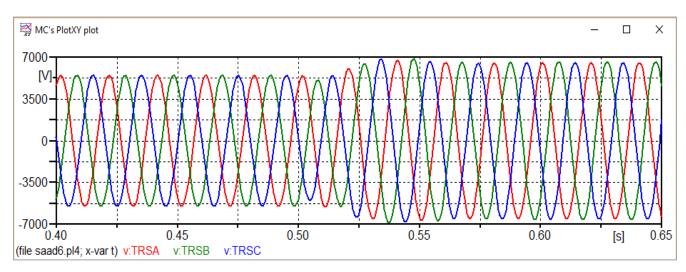


Figure 3.32: The voltages at point TRS for Case 4 with $Cb = 49 \ \mu F$

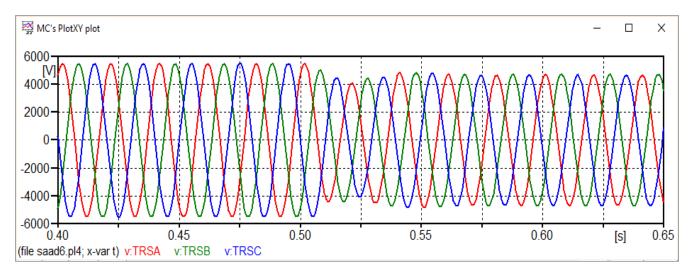


Figure 3.33: The voltages at point TRS for Case 7 with $Cb = 100 \ \mu F$

Comments:

According to industry analysts, we see from the table 3.3 and Figure 3.30 above that the value of $Cb = 49 \ \mu F$ is the threshold value, and ferroresonance can be avoided by installing the bank capacitor $Cb \ge 49 \ \mu F$ in this study case. But in the case of $Cb < 49 \ \mu F$ the ferroresonance is reduced slowly when Cs increased from small values until 49 μF .

It can be observed that the high capacity of the capacitor bank is very effective on the suppression of ferroresonance. This countermeasure has the disadvantages such as its higher cost and the possibility of explosion in practice. In other words, the capacitor bank at the transformer secondary side can significantly reduce the risk of ferroresonance, however it also has disadvantages as well.

3.6.3. Installing a damping resistor at the transformer secondary side

Historically, the most commonly used mitigation method is a resistor connected to the transformer TR1 secondary side as shown in figure 3.34. The zero-sequence voltage present at the resistor terminals results in the zero-sequence current resulting from the ferroresonant oscillations.

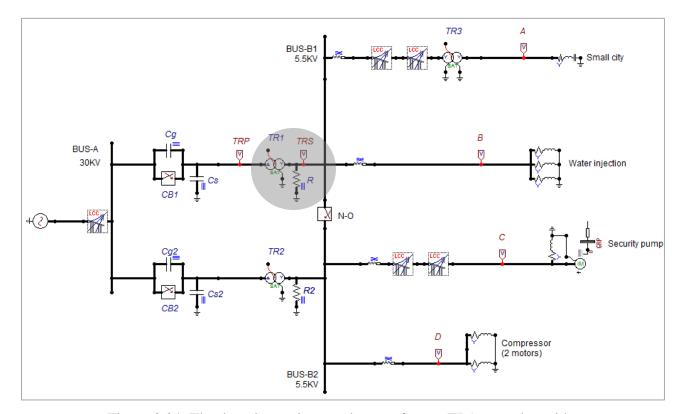


Figure 3.34: The damping resistor at the transformer TR1 secondary side.

This simple method, however, has a limited applicability in the case of the modern, compact constructions of the VTs, utilizing low-loss magnetic materials since typical core losses (oriented steel) are lower than 50 W, which has little effect on the damping properties.

Both computer simulations and experiments showed in many cases that the resistance value needed for efficient damping of the ferroresonant oscillations is very small ($R < 20 \Omega$) and the resulting power dissipated in the damping resistor is greater than several hundreds of watts.

Now we try to see the effect of this method we try to vary R around the value of 20 Ω , table 3.4 summarizes the simulation results and figures 3.36,3.37 and 3.38 show voltage waveforms at transformer secondary side for case 5 with ferroresonance, the threshold in case 4 and its elimination in case 1.

Cases	Resistor (Ω)	Maximum overvoltage (pu)	state
1	12	0.9	Non ferroresonance
2	15	1.1	Non ferroresonance
3	20	1.18	Non ferroresonance
4	25	1.25	Threshold
5	30	1.29	In ferroresonance

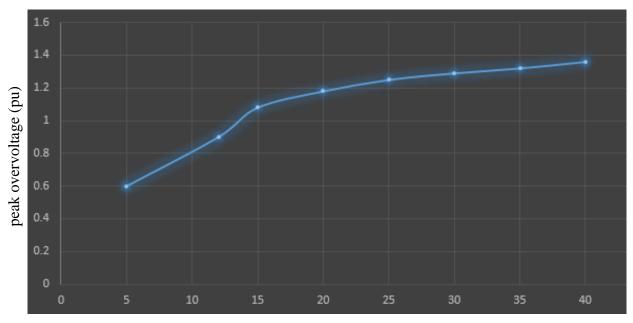


Table 3.4: Simulation results of maximum overvoltage for damping resistor.

Damping resistor (Ω)

Figure 3.35: The effect of the Damping resistor on ferroresonance.

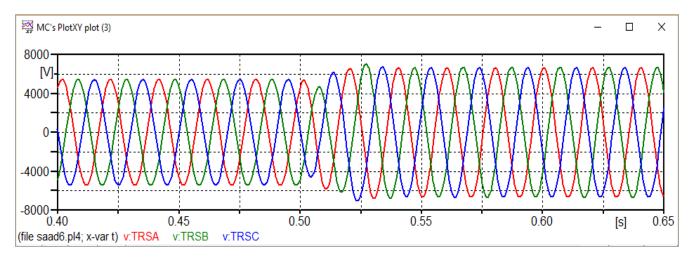


Figure 3.36: The voltages at point TRS for Case 5 with $R = 30 \Omega$

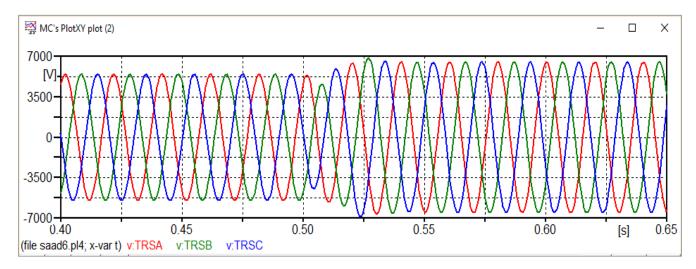


Figure 3.37: The voltages at point TRS for Case 4 with $R = 25 \Omega$

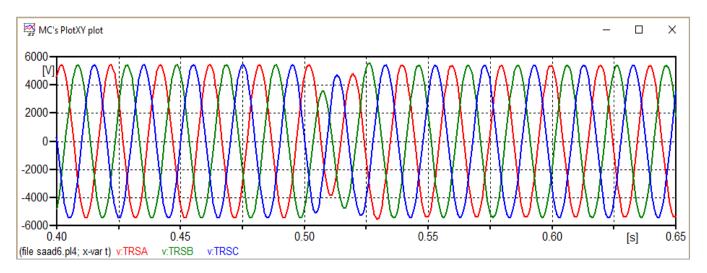


Figure 3.38: The voltages at point TRS for Case 1 with $R = 12 \Omega$

Comments:

Table 3.4 and Figure 3.35 shows the simulated effectiveness of the ferroresonant oscillations damping with the resistor. It can be seen that the use of the resistor $R = 12\Omega$ eliminate the ferroresonance with peak voltage V = 0.9 pu, and the use of the value of R larger than approximately 12Ω has a small influence on avoiding the ferroresonance, until the threshold $R = 25\Omega$ the ferroresonance is observed.

However, in practice, using a damping resistor of such a low value results in a risk of thermal damage of the VTs during abnormal network asymmetry resulting from prolonged earth faults. There are other known methods of preventing ferroresonance, such as the use of a saturable inductor in series with a damping resistor.

This approach, despite its applicability in high-voltage (HV) capacitive VTs with an intermediate inductive VT, is practically not used in the MV voltage transformers. The use of the R–L circuit overcomes the thermal problem in the case of the earth fault situation. However, the efficiency of damping is limited (it conducts current only above the saturation level of the inductor) and, thus, a very precise design of the damping circuit for a specific VT type is required.

3.7. Conclusion

The analysis presented in this chapter on the case study example showed the approach applicable to studying the potential of the ferroresonant behavior of the real power network. we have seen almost the parameters that can affect ferroresonance which are the grading capacitor of the circuit breaker and the source voltage.

The use of the ATP environment can be used to identify the potential ferroresonant combinations of parameters (voltage and capacitance) and allows one to select appropriate mitigation scheme as we have seen in section 3.6.

GENERAL CONCLUSION

GENERAL CONCLUSION

Even though ferroresonance is not very common, it is a problem in power systems. To get familiar with it, it is compared to linear resonance. The ferroresonance has dangerous consequences like stable overvoltages and overcurrents. Risky configurations are mentioned and prevention of ferroresonance is discussed, because they are considered to be catastrophic when they occur.

In addition, ATPDraw software has been developed to simulate one of the critical situations for the ferroresonance to appear, which is the interaction between the grading capacitor of circuit breaker and MV power transformer. The influence of capacitance values has been analyzed through several software simulations, considering the critical capacitance values.

Some practical solutions are suggested and introduced in the ATPDraw representation of the circuit of Haoud Berkaoui station after creating a ferroresonance situation, such as installing a shunt capacitor at the transformer primary side and installing a capacitor bank or a damping resistor at the secondary side, they had a considerable effect on damping and eliminating the risk of ferroresonance.

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The definitions and parameters

> Source : 4

Name: ACSOURCE - Steady-state (cosine) function (voltage) Grounded; TYPE 14.

Component: AC	SOURCE						×				
Attributes											
DATA	UNIT	VALUE		NODE		PHASE	NAME				
AmplitudeA	Volt	30000		AC		ABC	×0019				
Frequency	Hz	50									
PhaseAngleA	degrees	0									
StartA	sec	-1									
StopA	sec	100									
Copy Paste entire data grid Reset Order: 0 Label: Comment:											
Type of source Num phases Angle units Amplitude Grounding Current Single Degrees Peak L-G Grounded Hide Voltage 3*1-phase Seconds RMS L-L Ungrounded Ungrounded											
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> Transformer: •

Name: Sat-Trafo - General saturable transformer. 3 phase. 2 windings, Delta, Wye .with 30° phase shifts.

Componer	t: SATTRA	FO				×
Attributes	Character	istic				
	Prim.	Sec.		NODE	PHASE	NAME
U [V]	30000	3180		Primary	ABC	×0045
R [ohm]	0.0005	0.0005		Seconda	ary ABC	S
L [mH,ohm]	0.05	0.05		Starpoin	t ABC	×0038
Coupling	D -	ÎY 🚽	1	Sec-N	1	₩0039
Phase shift I(0)= 0 F(0)= 2	R0=	30 ▼ :000¢0000 11500	S-leg core RMS 3-winding Orde	ər: O	Label:	
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Model: PI Unit system: Metric

				L20						X
Model Data Nodes	M	odel	Data 👔	Vodes						
Wodel Data Nodes System type Pho [ohm*m] 20 Overhead Line #Phr. 3 Transposed Prog. init [Hz] 50 Auto bundling 0.7 Skin effect Units Segmented ground Metric Real transf. matrix English Model Type Other Data Printed output Image: Control output Image: Control output	W # 1 2 3	Ph.no.		Rout [cm] 0.545 0.545 0.545	Resis [ohm/km DC] 0.303 0.303 0.303	Horiz [m] -0.75 0 0.75	Vtower [m] 10 10 10	Vmid [m] 8 8 8		
Image: Second second		Add I	ow Cancel	Delete las	t row	sert row o		iew \	← Move ↓	-) Help

Induction Motor (Security pump): GRP GRP

Component: UM_3		×	Component: UM_3			×
Attributes			Attributes			
General Magnet Stator Rotor Init Stator coupling Pole pairs: 2 Rotor coils d 1 Frequency: Global 50 50 Automatic Tolerance: 0.1885	NDDE PHASE Stator ABC M_NODE 1 Neut 1	NAME P XX0026	General Magnet Stator Rotor Init LMUD: 0.003533 LMUQ: 0.003533 Saturation © none © d 0 g both © symm	NODE Stator M_NODE Neut	PHASE ABC 1 1	NAME P XX0026
Order Comment Output TQOUT 0	▼ THOUT	Hide	Orc Comment Output TQUIT 0 0 1 0 2 0 3 0 0 1 0 :	o ⊜ o	Labet THOUT CURR	Hide
Edit definitions OK	Cancel	Help	Edit definitions	ок	Cancel	Help

APPENDIX

Component: UM_3			X	Component: UM_3
Attributes				Attributes
General Magnet Stator Rotor Init	1	PHASE	NAME	General Magnet Stator Rotor Init NODE PHASE NAME
R [ohm] L [H/pu]		ABC 1	P ××0026	Stator ABC P R [ohm] L [H/pu] M_NODE 1 XX0026
0 0 d 0.01673 0.1968 q 0.01673 0.1968	Neut	1		1 0.017405 0.1968 2 0.017405 0.1968
Orde	er: O	Label:		Order: 0 Label:
Comment: Output TQOUT 0 0 1 2 3 0 0 1 2	© 3 ♥ CUF		Hide	Comment Output TQDUT 0 0 1 2 3 0 0 1 2 3 CURR
Edit definitions 0	K I	Cancel	Help	Edit definitions OK Cancel Help

Component:	UM_3						×	J
Attributes								
General I	Magnet Stator	Rotor	Init		NODE	PHASE	NAME	1
Manual					Stator	ABC	P	
Stator	I [A]	Rotor	I [A]		M_NODE	1	XX0026	
0	0	1			Neut	1		
d	0	2	0					
q	0							
Commer	M [rad/s]:		0	Order:	0	Label:		
-Output			omout ● 0	© 2 (3	THOUT CURR	Hide	J
Edit defini	tions			OK		Cancel	Help	

➢ RLC load of the Small City:

Name: RLCY3. Y-coupling

Independent values in phases.

Attributes		1			1	1
DATA	UNIT	VALUE		NODE	PHASE	NAME
L_1	mH	9.4		IN	ABC	RLC
C_1	Fئ	0.01		OUT	1	
R_2	Ohm	1.5				
L_2	mH	9.4				
C_2	Fئ	0.01				
R_3	Ohm	1.5				
L_3	mH	9.4	Ξ			
C_3	Fئ	0.01	~			
	Paste entire da	ata grid Reset	Order	0	Label:	
Commer Output —	nt:					Hide
Co <u>m</u> mer	nt:	•	04			Hide

APPENDIX

Componer	nt: RLCY3					X] [Componen	t: RLCY3					X
Attributes								Attributes						
DATA	UNIT	VALUE		NODE	PHASE	NAME		DATA	UNIT	VALUE		NODE	PHASE	NAME
R_1	Ohm	78	Ξ	IN	ABC	W		R_1	Ohms	47.65	=	IN	ABC	SP
L_1	mH	407		OUT	1			L_1	mH	580		OUT	1	
C_1	Fئ	0						C_1	Fءئ	0				
R_2	Ohm	78						R_2	Ohms	20				
L_2	mH	407						L_2	mH	580				
C_2	Fئ	0						C_2	۶F	0				
R_3	Ohm	78						R_3	Ohms	20				
L_3	mH	407	-					L_3	mH	580	-			
		-												
Сору	Paste entire da	ata grid Reset	0rder:	0	Label:			Copy F	Paste entire data	a grid Reset	Order	0	Label:	
Co <u>m</u> men	it .							Co <u>m</u> ment	:					
- Output						Hide		Output						Hide
1-0	No	•				\$Vintage,1		0 - N	0	~				Vintage,
Edit definit	tions		ОК		Cancel	Help		E dit definiti	ons		OK		Cancel	Help

RL load of Water Injection:

Name: RLCY3; Y-coupling, Independent values in phases.

RL load of Security Pump:

Name: RLCY3; Y-coupling, Independent values in phases.

Component:	RLCY3				×	ſ	Component:	LINESY_3					×
Attributes							Attributes						
DATA	UNIT	VALUE	NODE	PHASE	NAME		DATA	UNIT	VALUE		NODE	PHASE	NAME
R_1	Ohm	13.55	IN	ABC	C		Ro	Ohm/m	0.5	- 14	IN1	ABC	F
L_1	mH	80	OUT	1			Lo	mH/m	0.1		OUT1	ABC	WI
C_1	Fئ	0					R+	Ohm/m	0.005				
R_2	Ohm	13.55					L+	mH/m	0.001				
L_2	mH	80											
C_2	Fئ	0											
R_3	Ohm	13.55											
L_3	mH	80											
Copy Pa	ste entire data g		ler: 0	Label:				Paste entire dat	a grid Reset (Order:	4	Label:	
Co <u>m</u> ment:							Comment	t I					
- Output		•			Hide		Lines Length	100	[m]				Hide
					\$Vintage,1								
E dit definition	2		ок 🛛	Cancel	Help		Edit definiti	ions		OK		Cancel	Help

RL load of compressor:

Name: RLCY3; Y-coupling, Independent values in phases.

≻ Cable: --[™]----

Name: LINESY_3 - Symmetric RL coupled line. Data given in positive and zero sequence.

The parameters of the circuit breaker used in the electric substation of HAOUD BERKAOUI

TYPE		記述記述	いい いい いい いい いい いう いう いう いう いう いう いう ひょう ひょう しょう しょう しょう しょう しょう しょう しょう しょう しょう し	83 83		82 82			
Rated voltage	kV	7	,2		12			17,5	
	kV	6	0		75		E. States	95	
Rated power frequency withstand voltage I min	k٧	2	2	2111	28			38	
Rated short circuit breaking current	kA	20	28	12,5	16	25	12,5	16	25
	kA	50	70	31,5	40	63	31,5	40	63
Rated cable-charging breaking current	A		0		25		Real Maria	31,5	
Rated no-load transformer breaking current	A				20				
Rated operating sequence	1		0	- 0.3 s - CO	- 3 min CC)/CO - 15 s -	co		

					S S S S S S S S S S S S S S S S S S S						
					EGB 5 08-06F EGB 5 08-12F	EGB 5 12-06F EGB 5 12-12F	EGB 5 16-06F	EGB 5 16-12F	EGB 5 25-12F	EGB 5 25-16F	
Rated voltage	k٧		24				36				
Rated lightning impulse withstand voltage 1,2/50 µs		17 Part St						170			
Rated power frequency withstand voltage I min		50									
				1250	630 1250		630	1	250		2500
Rated short circuit breaking current	kA	12,5	16	20	8	12,5		6		25	
Rated short circuit making current	kA			50	20	31,5	40		63		
Rated cable-charging breaking current	A		31,5					50			
DC component		32									
Rated no-load transformer breaking current		20									
Rated single capacitor bank breaking current		500									
Rated operating sequence	1	0 - 0.3 s - CO - 3 min CO/CO - 15 s - CO									

 Table 1: Range of types and technical features from the company which design SF6 circuit breaker.

ELİMSAN Şalt Cihazları ve Elektromekanik San. ve Tic. A.Ş. pb: 295 • Uzuntarla • İZMİT • Phone: +90 262 375 28 10 • Fax: +90 262 375 28 08 _e-mail: elimsanuretim @ elimsangroup.com ELİ İthalat - İhracat ve Dış Tic. A.Ş. pb: 295 • Uzuntarla•İZMİT • Phone: +90 262 375 23 60 (pbx) • Fax: +90 262 375 23 22 _e-mail: eli @ elimsangroup.com WWW.elimsangroup.com



The characteristics of the used grading capacitors in electric sabstations of 30 KV

Part Number	Rated Voltage	Rated Voltage	Test Voltage	Corona Inception	Capacitance ±20%	Dir	nensions m	illimeters (ir	nches)	Packaging
	kVdc	kVrms	kVrms	Voltage (kVrms) (<10pc)	(pF) ±10% on request	Ø ± 1	d	L ± 1	H ± 2	Unit
HP30EX0561M HP30EX0751M HP30EX0102M HP40EX0152M HP40EX0152M HP40EX0220M HP50EX0252M HP50EX0272M HP50EX0332M HP60EX0372M HP60EX0402M	15	10	12	6	560 750 1000 1500 1800 2000 2500 2500 2500 3300 3700 4000	28 (1.100) 28 (1.100) 28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591)	22 (0.866)	16 (0.630)	40 40 40 40 40 40 45 45 45 45 20 20
HP60EX0502M HP60EX0562M HP30EY0501M					5000 5600 500	58 (2.283) 58 (2.283) 28 (1.100)	15 (0.591) 15 (0.591) 12 (0.472)			20 20 40
HP30EY0561M - HP30EY0751M - HP40EY0102M - HP40EY0132M - HP40EY0152M - HP50EY0202M - HP50EY0222M - HP50EY0252M - HP60EY0332M - HP60EY0332M - HP60EY0372M - HP60EY0402M -	20	15	18	9	560 750 1000 1300 2000 2200 2500 3000 3300 3700 4000	28 (1.100) 28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 48 (2.283) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591) 15 (0.591)	24 (0.945)	18 (0.709)	40 40 40 40 45 45 45 20 20 20 20
HP30E30561M HP40E30821M HP40E30102M HP40E31121M HP50E30152M HP50E30172M HP60E30272M HP60E30302M HP60E30332M	30	20	24	12	560 820 1000 1120 1500 1700 2000 2700 3000 3300	28 (1.100) 38 (1.500) 38 (1.500) 38 (1.500) 48 (1.900) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591)	26 (1.024)	20 (0.787)	40 40 40 45 45 45 20 20 20
HP30E40391M HP40E40751M HP50E40102M HP50E40142M HP60E40172M HP60E40202M HP60E40242M	40	28	33	17	390 750 1000 1400 1700 2000 2400	28 (1.100) 38 (1.500) 48 (1.900) 48 (1.900) 58 (2.283) 58 (2.283) 58 (2.283)	12 (0.472) 12 (0.472) 12 (0.472) 12 (0.472) 15 (0.591) 15 (0.591) 15 (0.591)	30 (1.180)	24 (0.945)	40 40 30 20 20 20 20

Table 2: The parameters used in the substation indicated with a red color

